

**Lecture 1:**

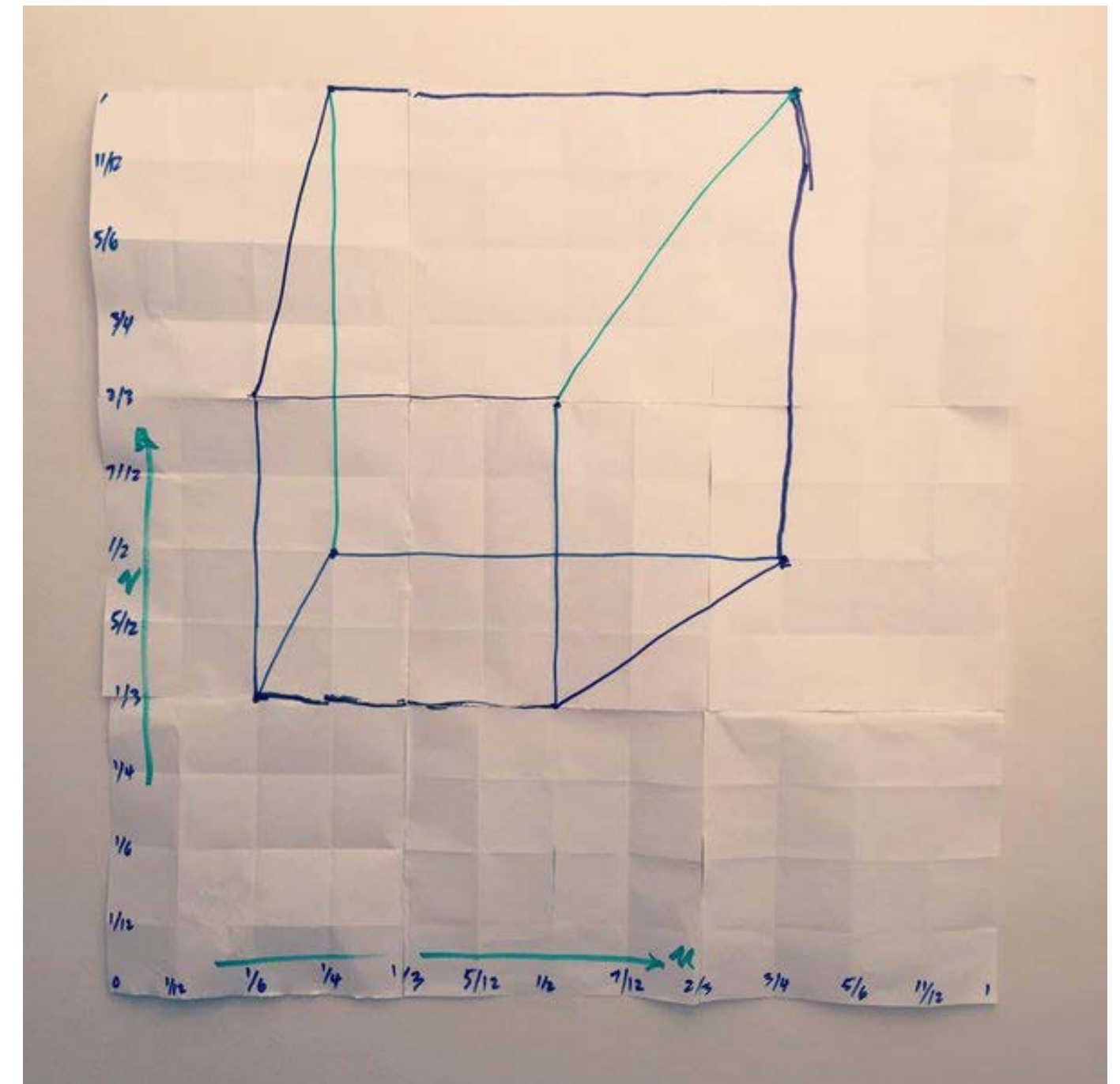
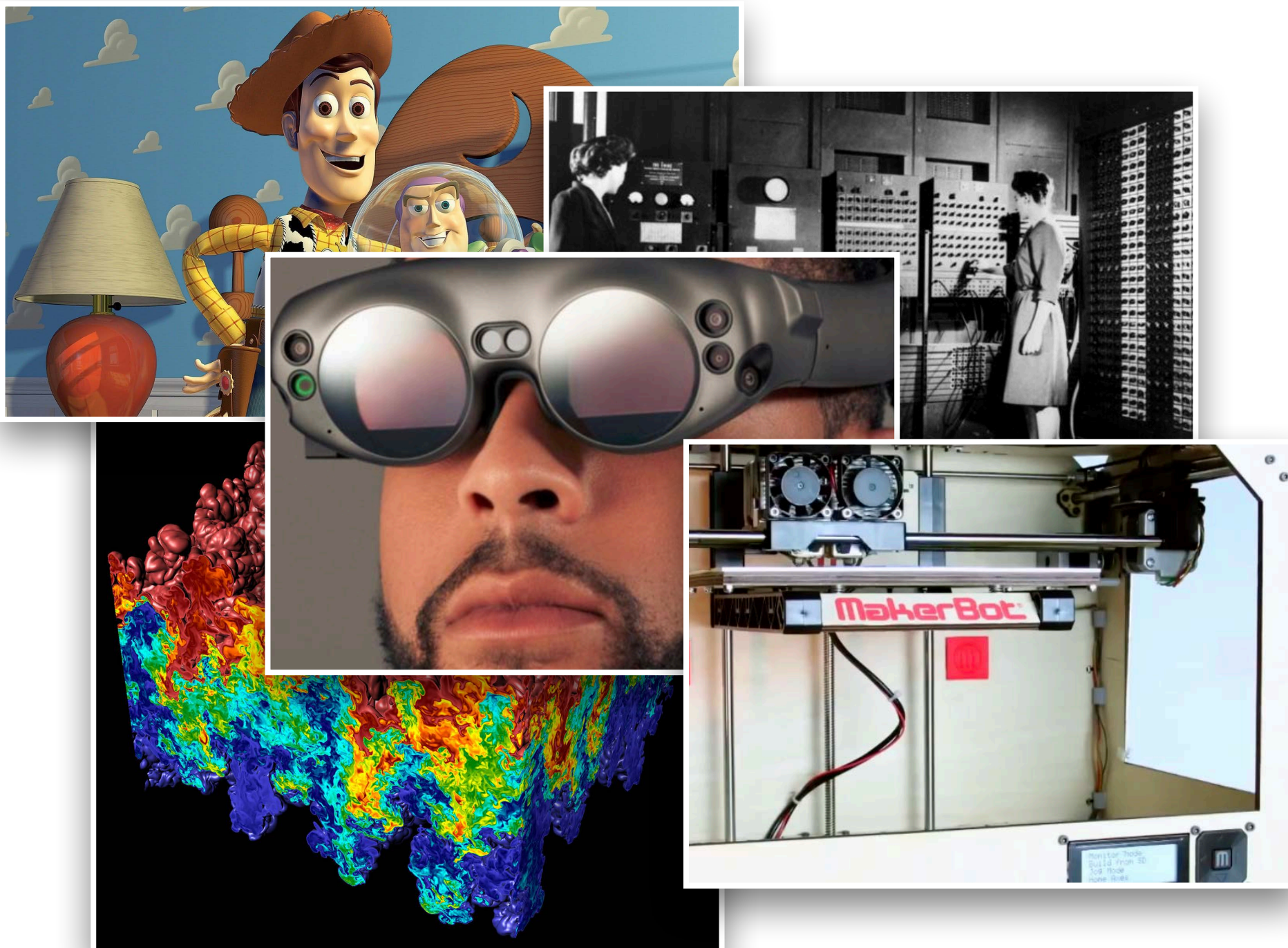
# **Introduction to Computer Graphics**

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**Computer Graphics  
CMU 15-462/662**

# TODAY: Overview Computer Graphics

- Two main objectives:
  - Try to understand broadly what computer graphics is about
  - “Implement” our 1st algorithm for making images of 3D shapes
- Note: all logistics on course webpage

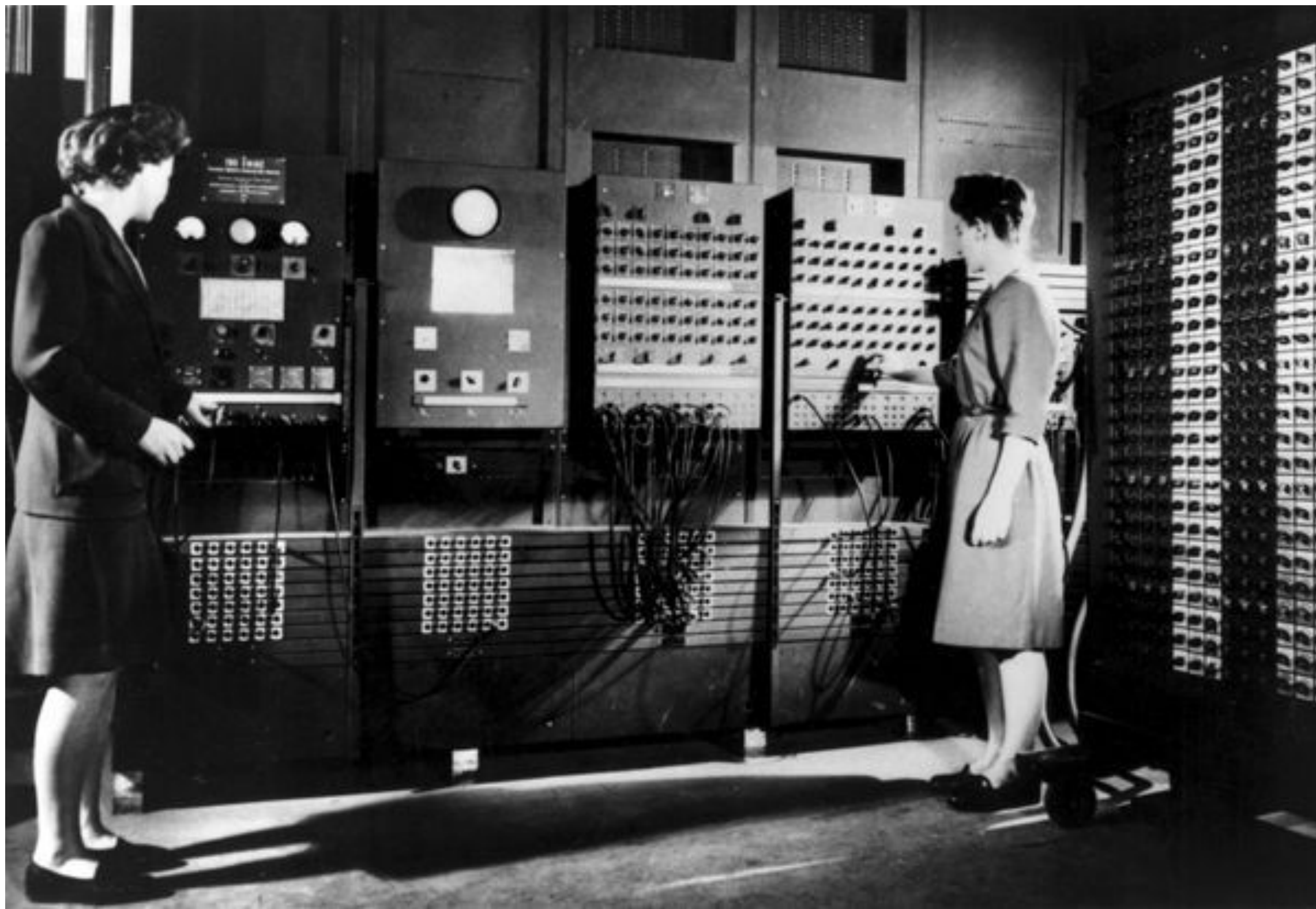


**Q: What is computer graphics?**

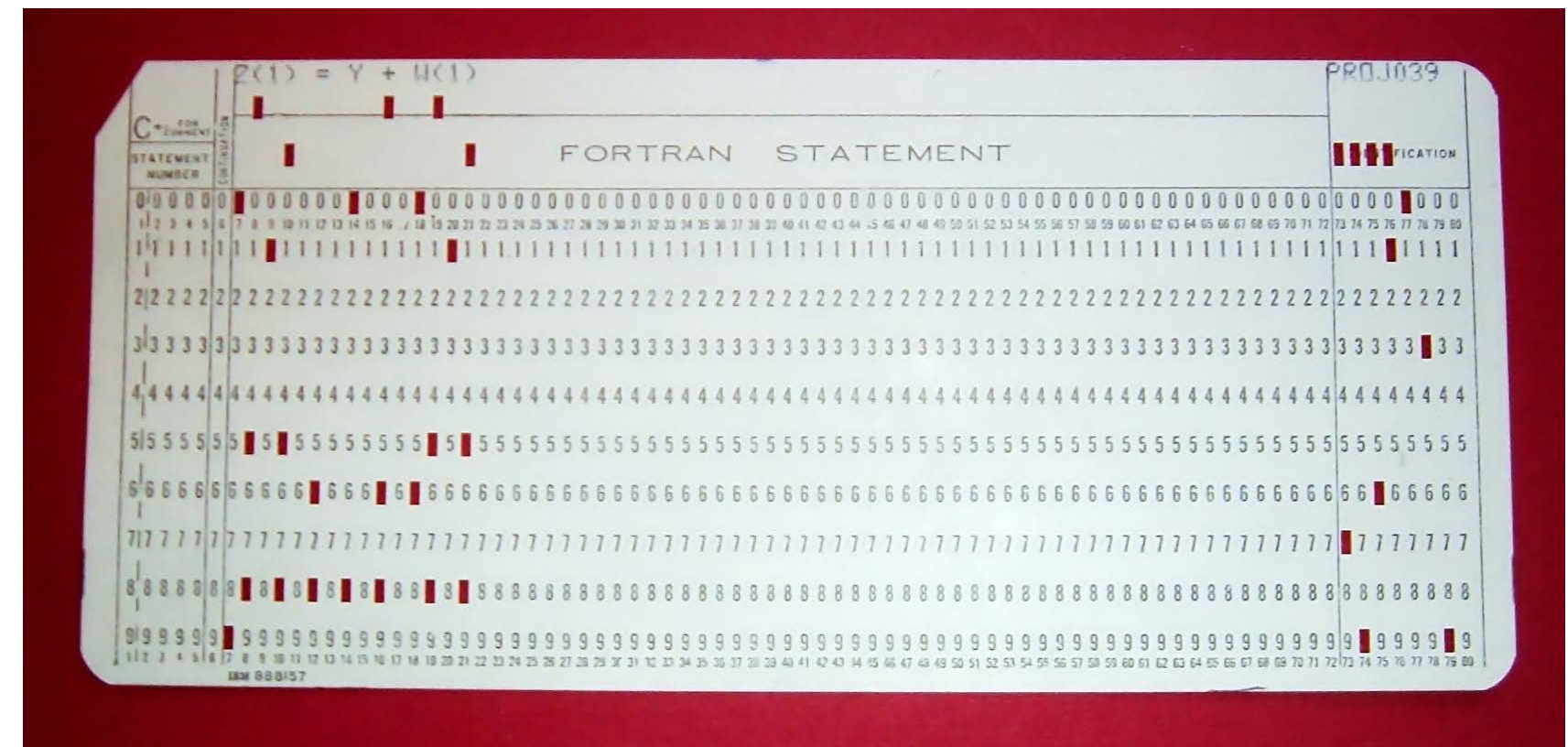
**Probably an image like this comes to mind:**



**Q: ...ok, but more fundamentally:  
What is computer graphics—and  
why do we need it?**

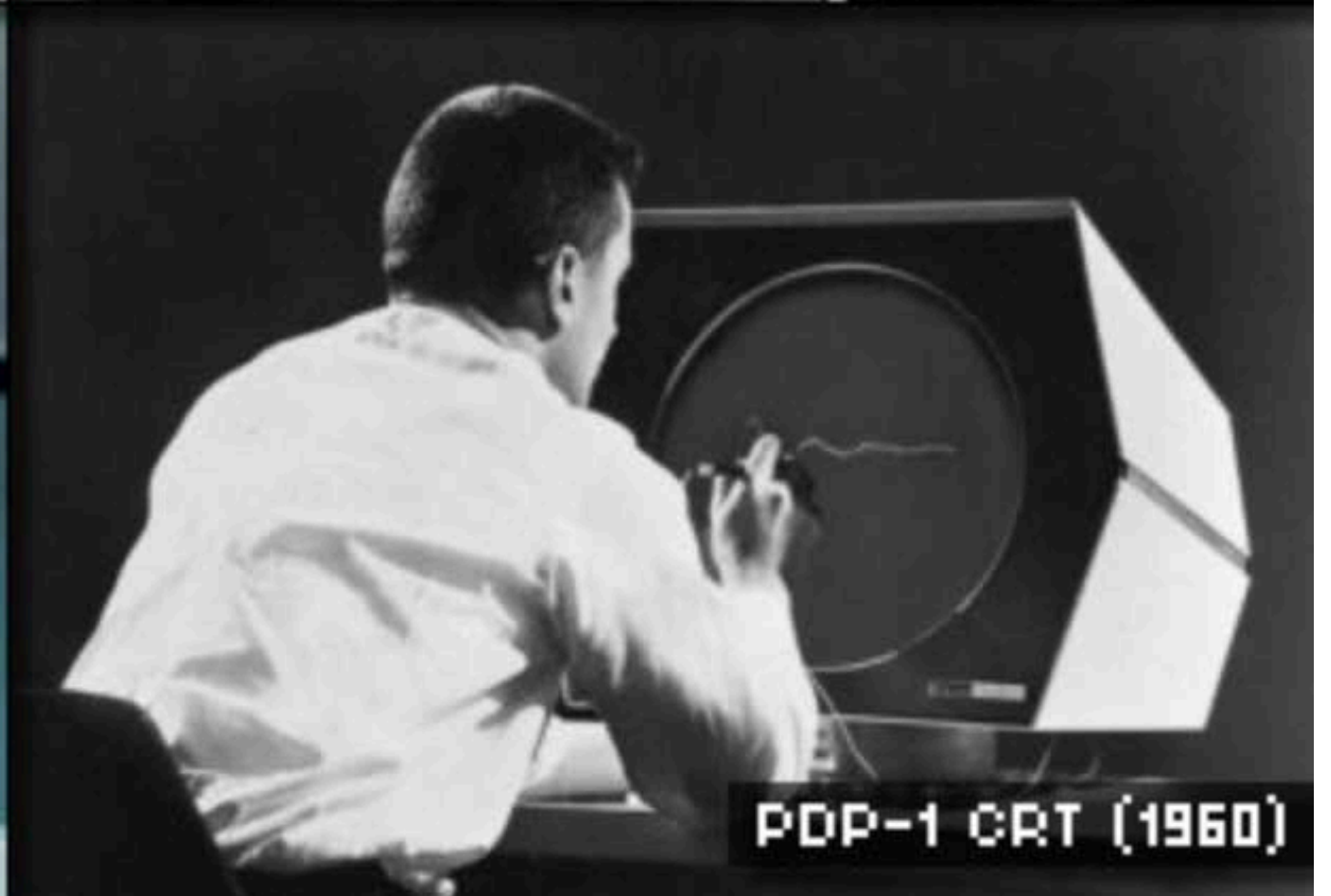


**Early computer (ENIAC), 1945**



**punch card (~120 bytes)**

**There must be a better way!**





# Sketchpad (Ivan Sutherland, 1963)



MACINTOSH (1984)



APPLECOLOR HIGH-RESOLUTION RGB AND MACINTOSH II (1987)



**2020: 8k monitor  
7680x4320 (~95MB)**

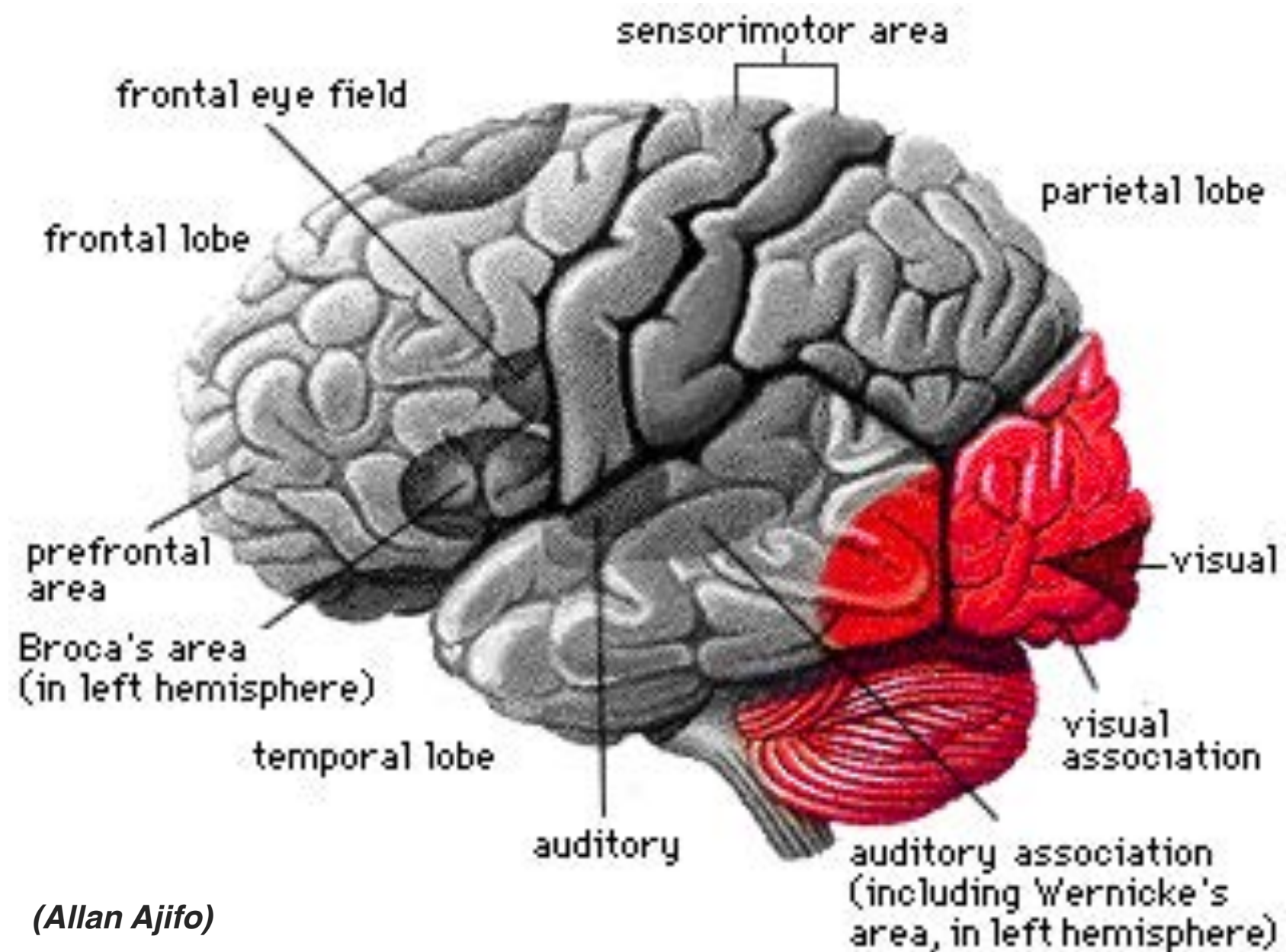
# Coming down the pipe...



**2020 virtual reality headset: 2x 2160x2160 @ 90Hz => 2.3GB/s**

# Why *visual* information?

**About 30% of brain dedicated to visual processing...**



**...eyes are highest-bandwidth port into the head!**

# What is computer graphics?

**com • put • er graph • ics** /kəm'pyʊədər 'grafiks/ *n.*  
The use of computers to synthesize visual information.



digital information

computation



visual information



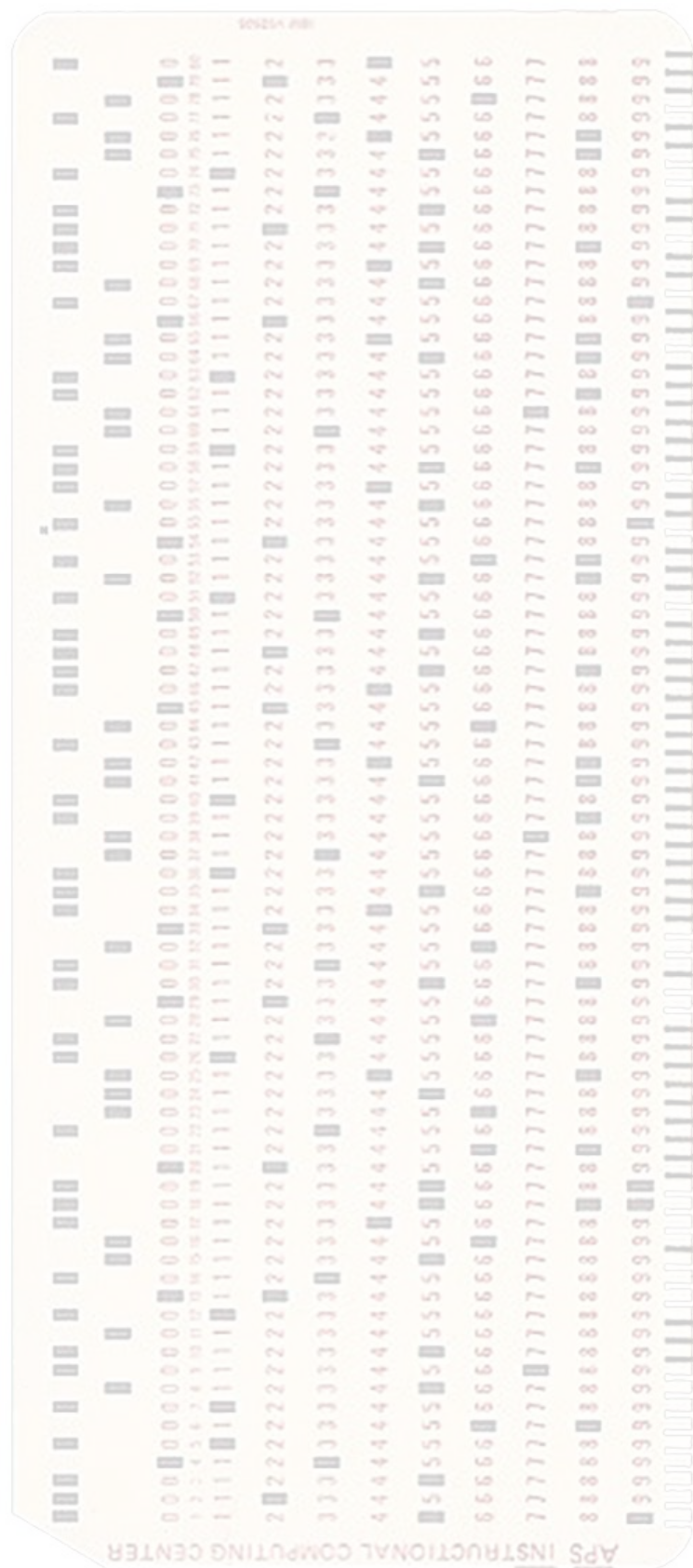
# What is computer graphics?

com • put • er graph • ics /kəm'pyooədə'r'grafiks/ n.

— Why only visual?

The use of computers to synthesize visual information.

visual information



digital information

computation  
→



**Graphics has evolved a *lot* since its early days... no longer just about turning on pixels!**

# Turning digital information into sensory stimuli



(sound)



(touch)

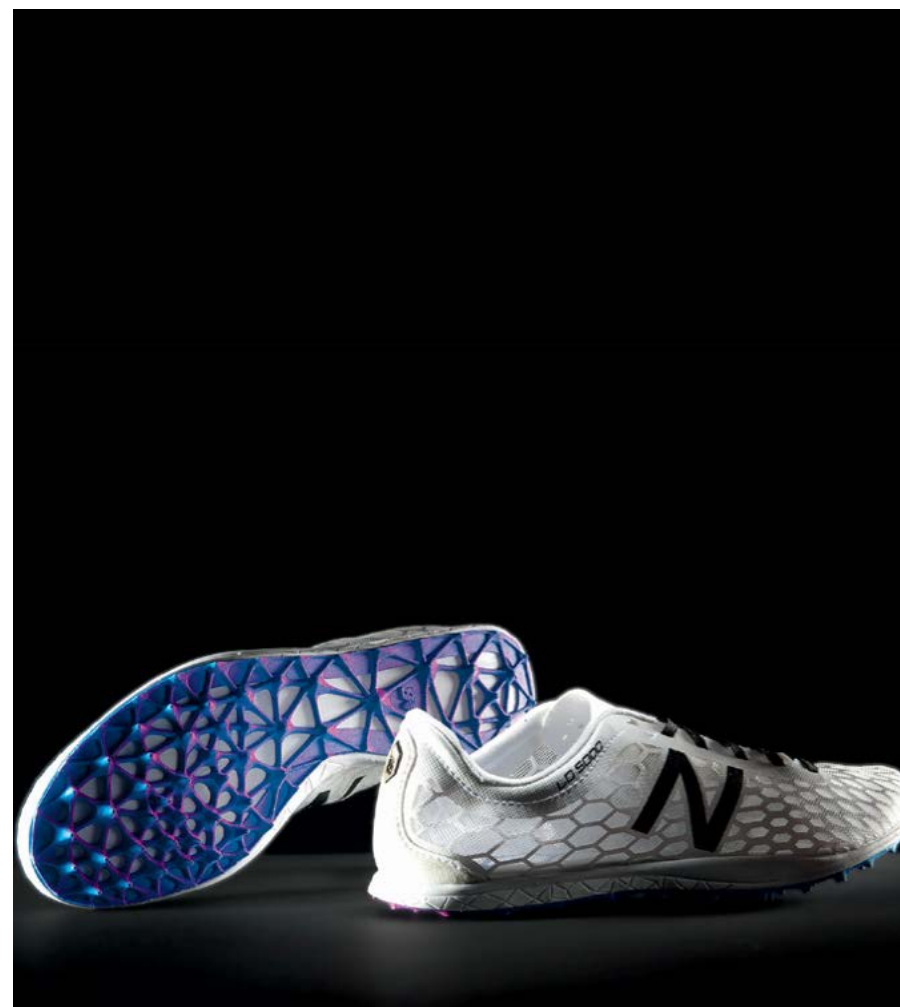
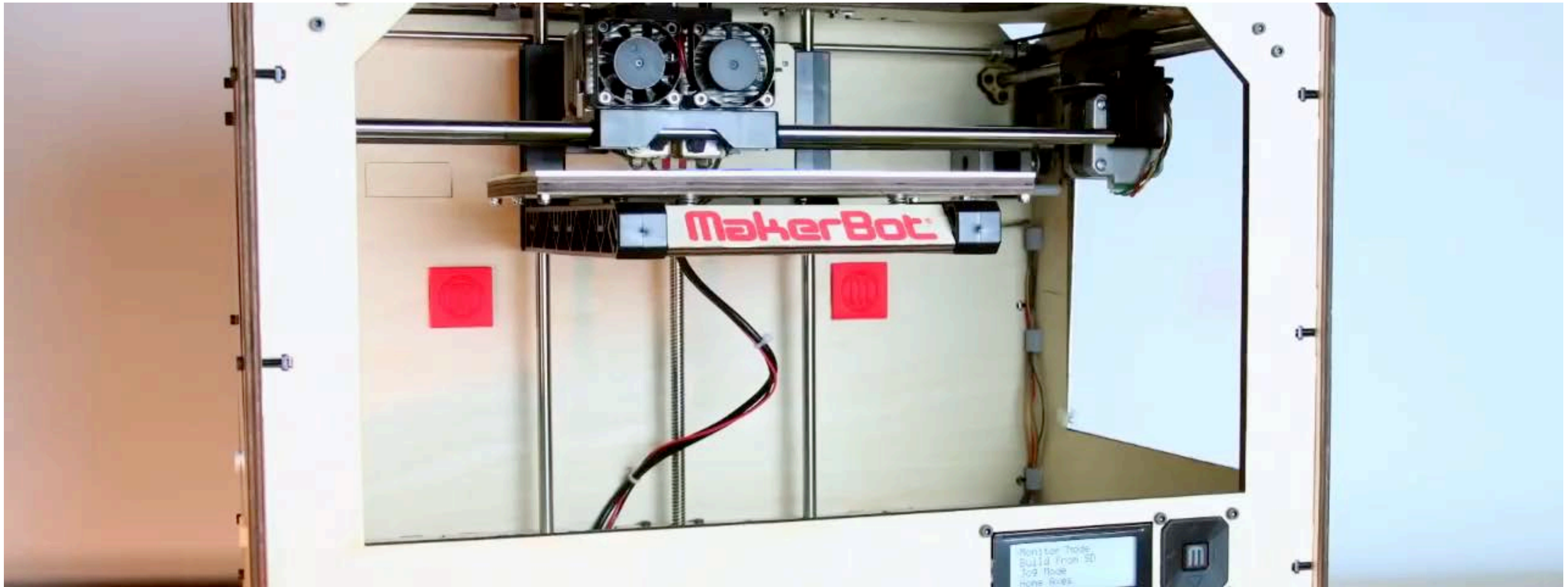
**com • put • er graph • ics** /kəm'pyʊədər 'grafiks/ *n.*

The use of computers to synthesize and manipulate sensory information.

**(...What about taste? Smell?!)**



# Turning digital information into physical matter



# Definition of Graphics, Revisited

**com • put • er graph • ics** /kəm'pyʊdər 'græfiks/ *n.*  
The use of computation to turn **digital information** into **sensory stimuli**.

**Even this definition is too narrow...**

# SIGGRAPH 2020 Technical Papers Trailer



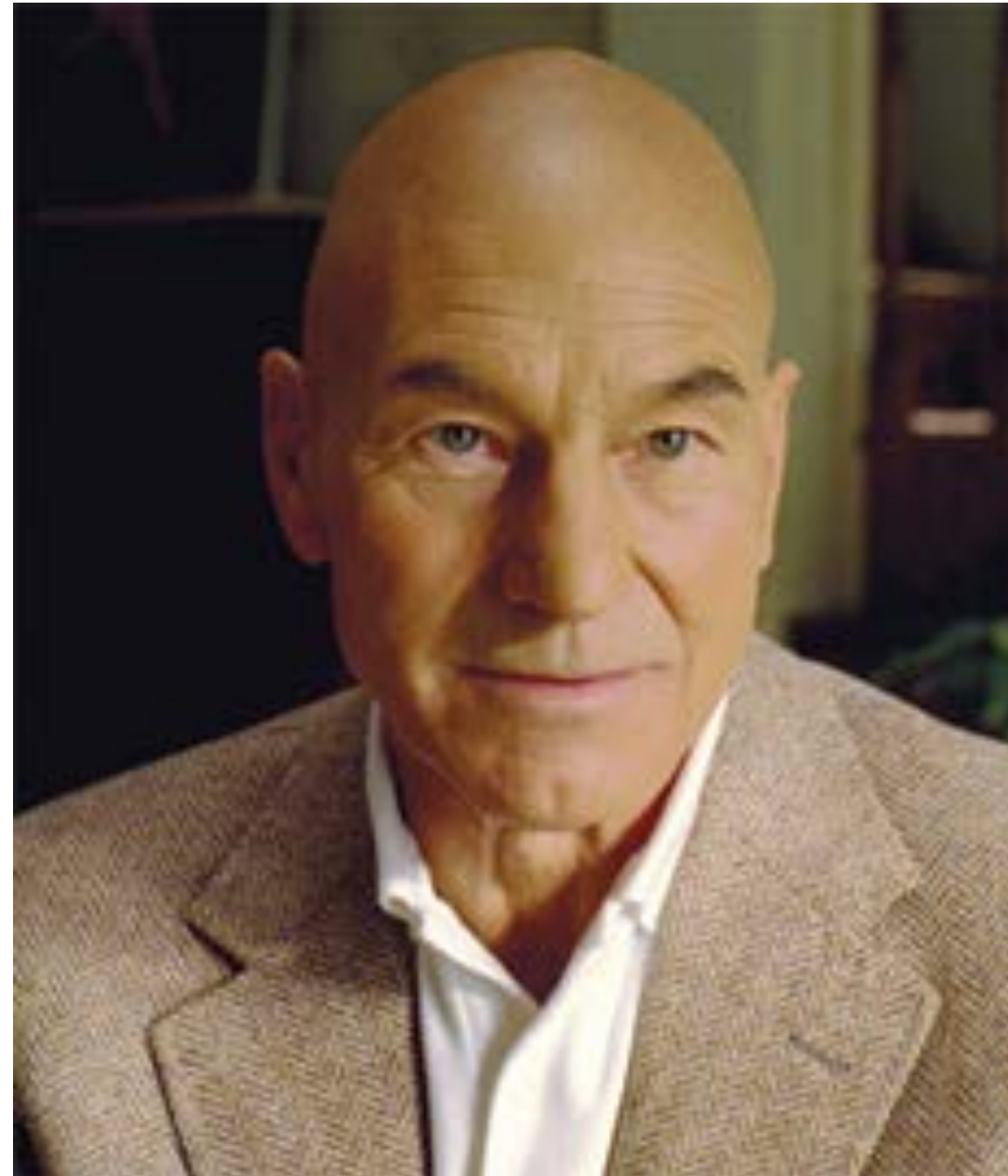
**Computer graphics is *everywhere!***

# Entertainment (movies, games)



# Entertainment

- Not just cartoons!

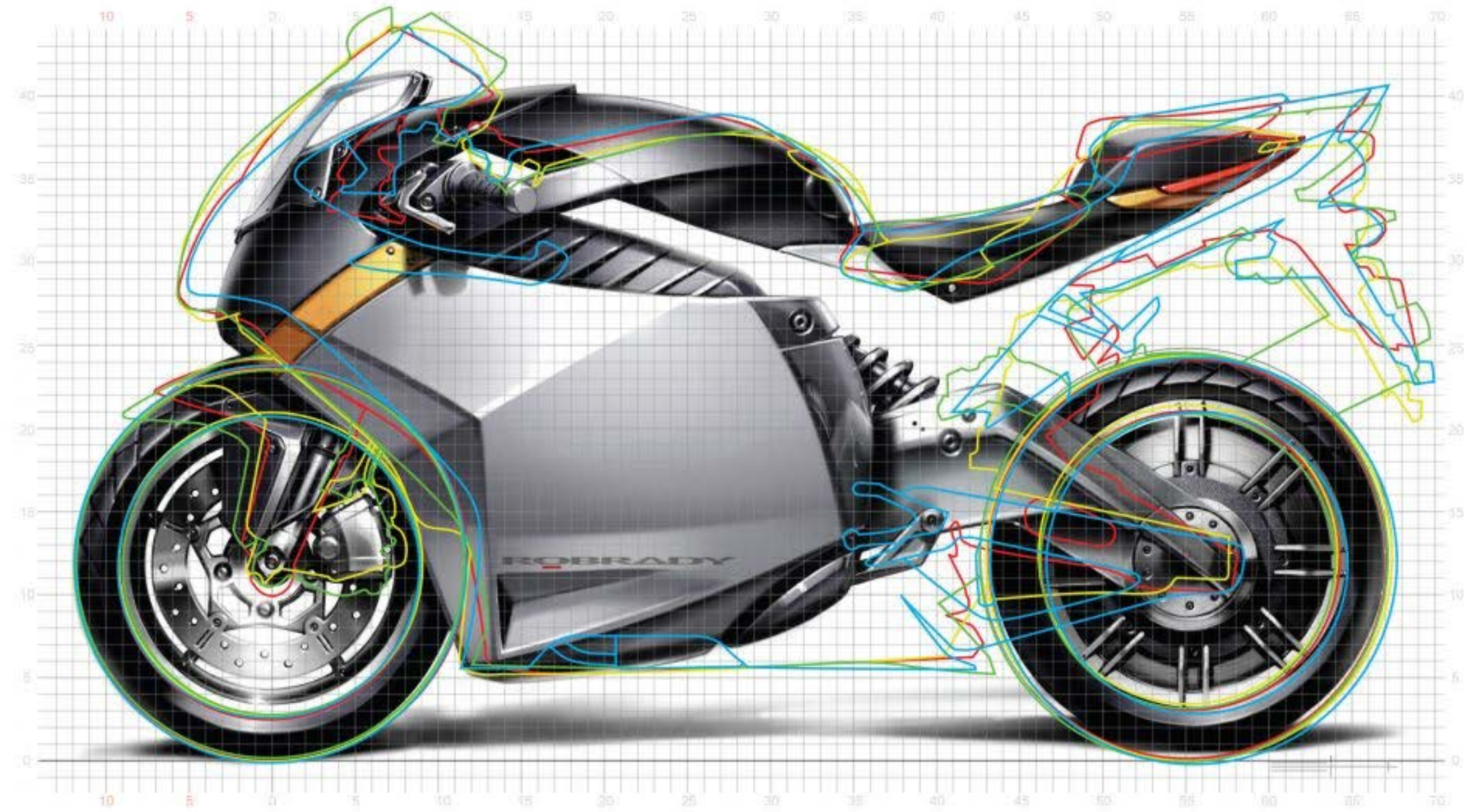


# Art and design

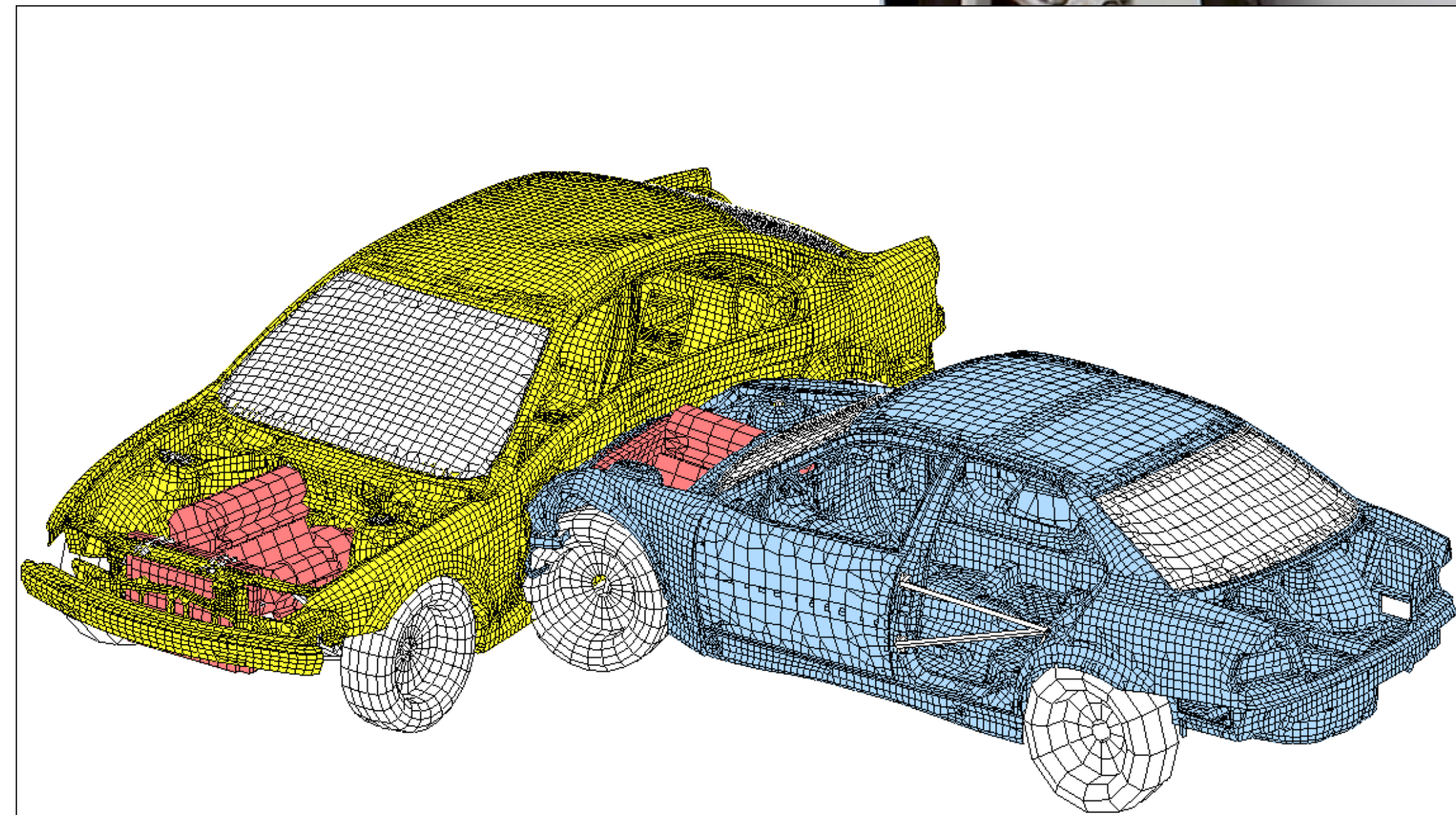




# Industrial design

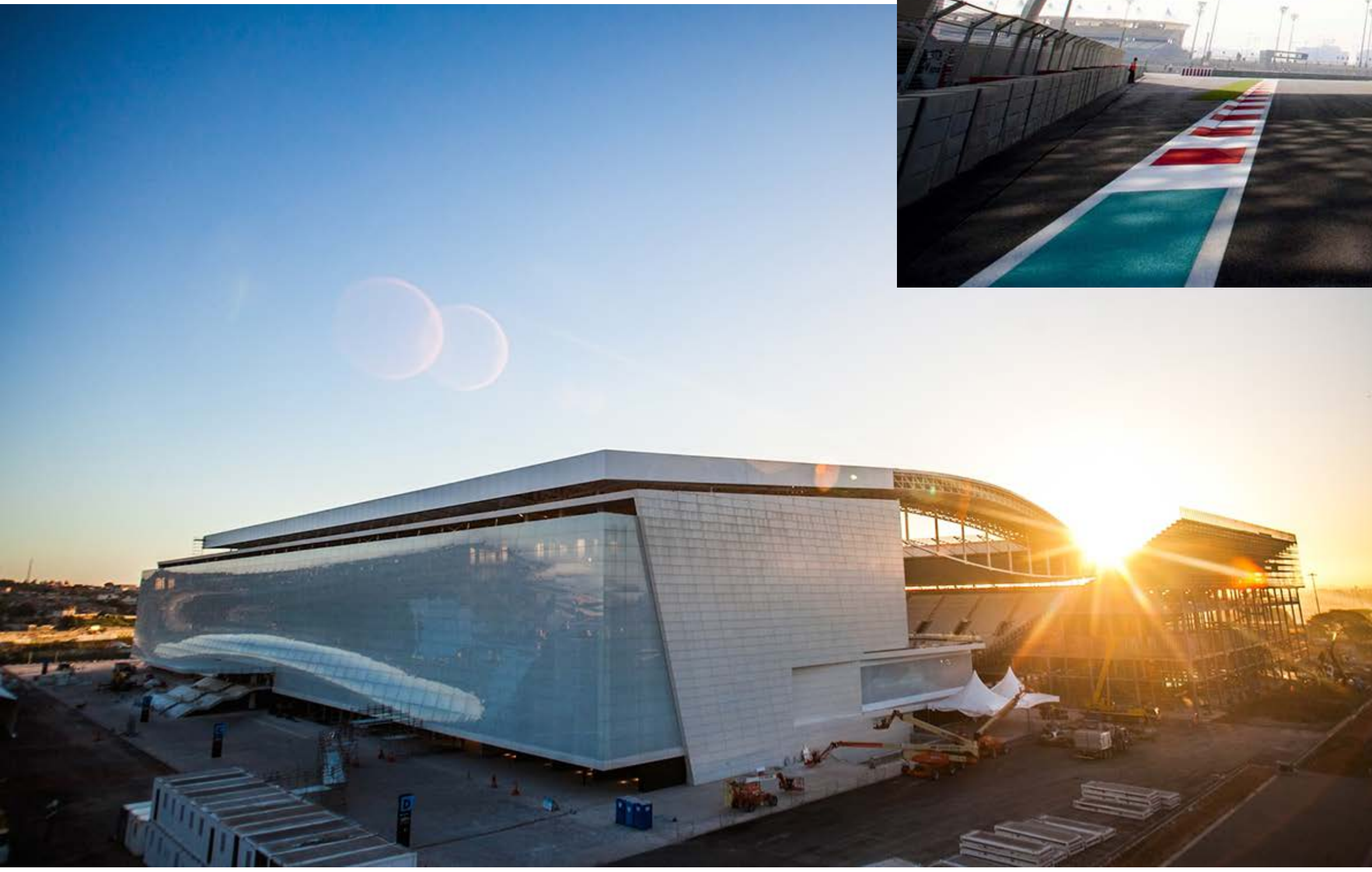
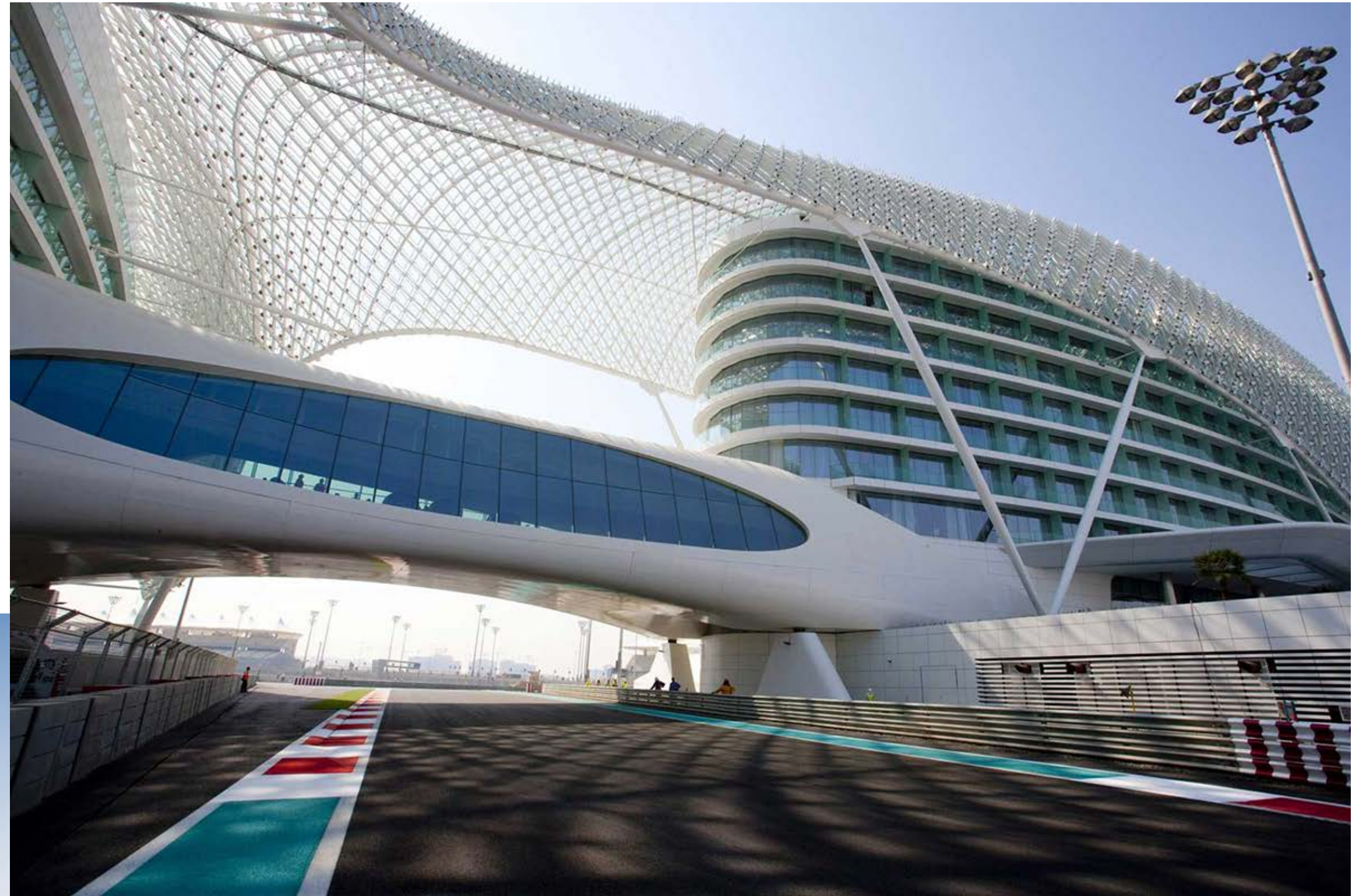


# Computer aided engineering (CAE)

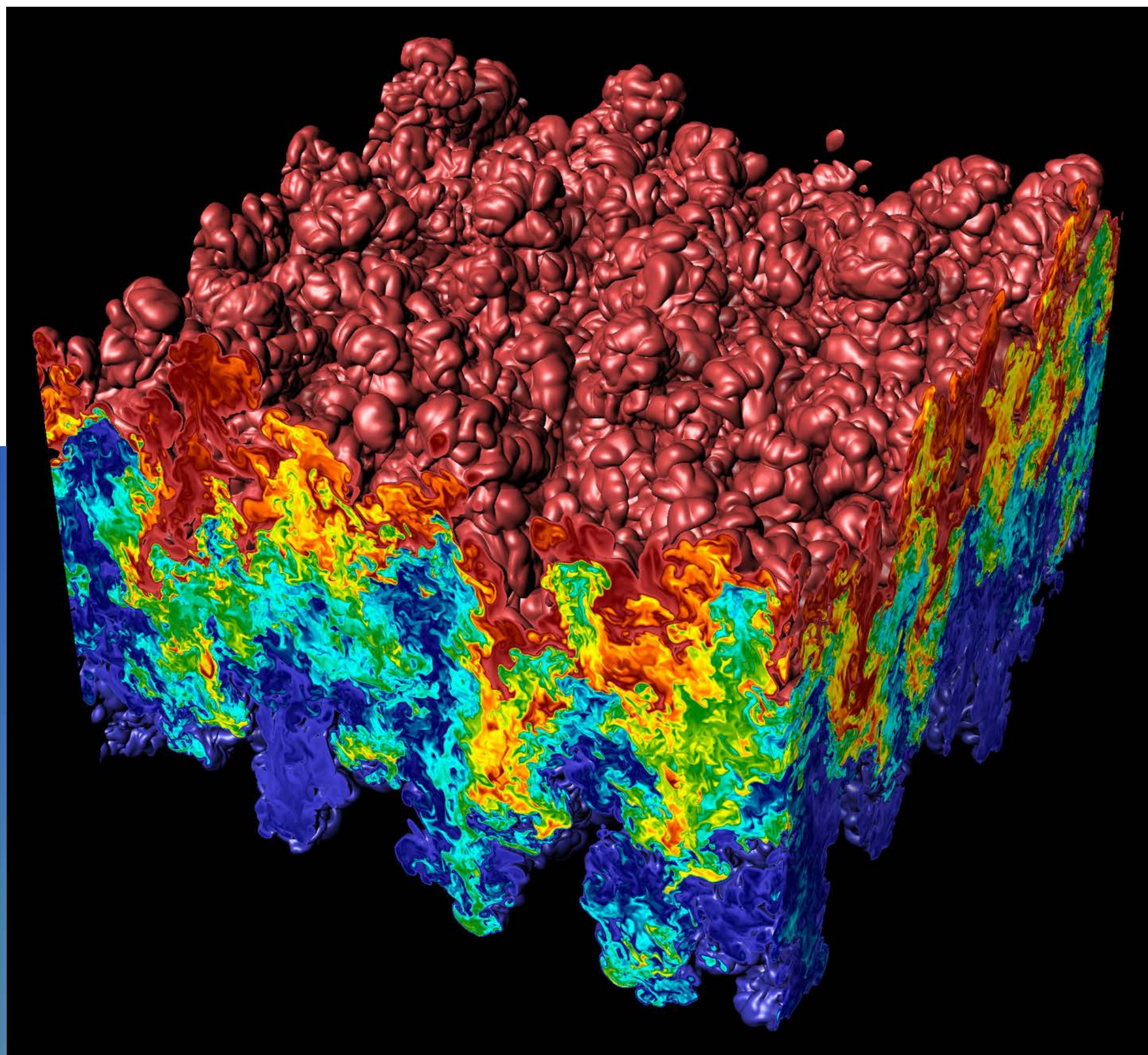
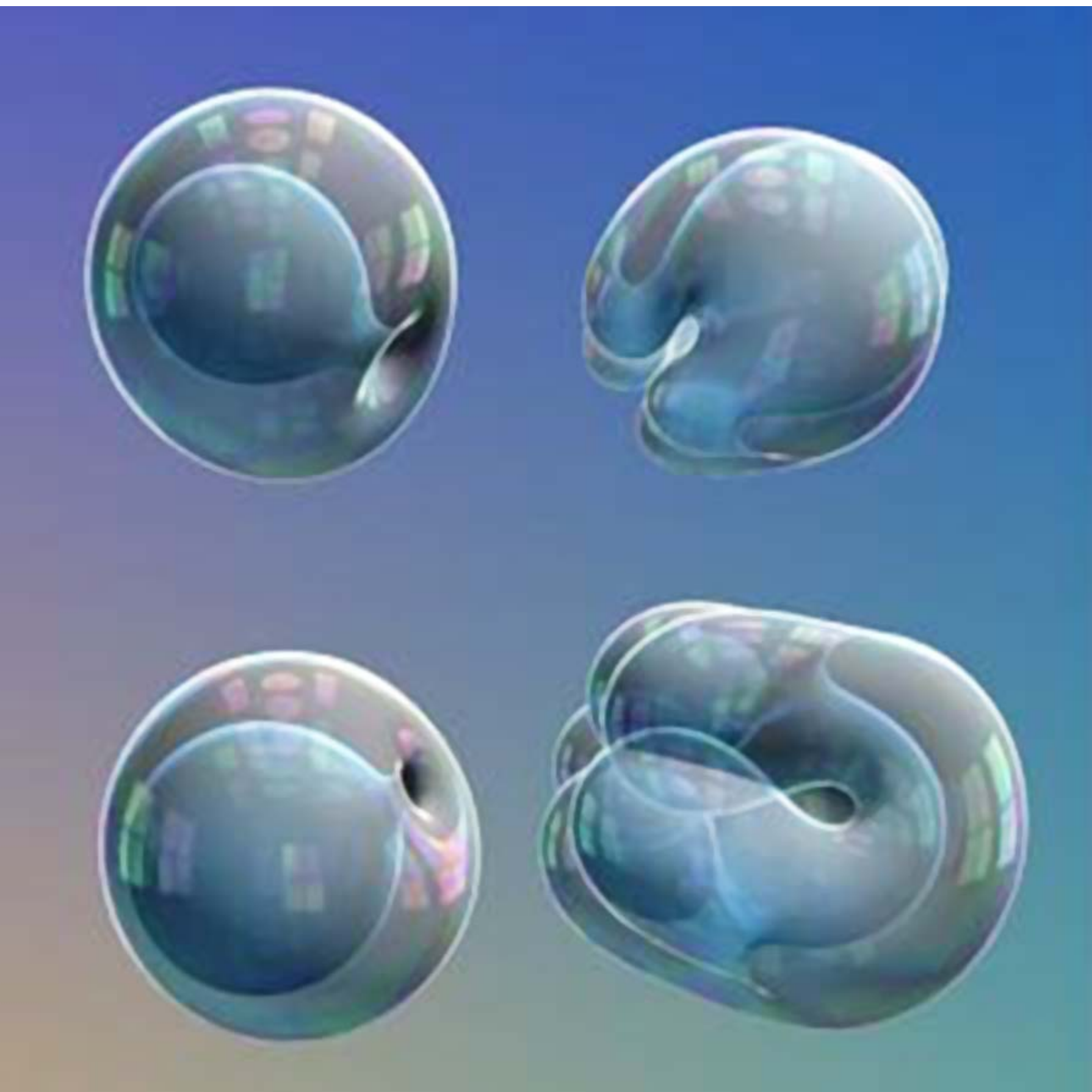


Courtesy : BMW

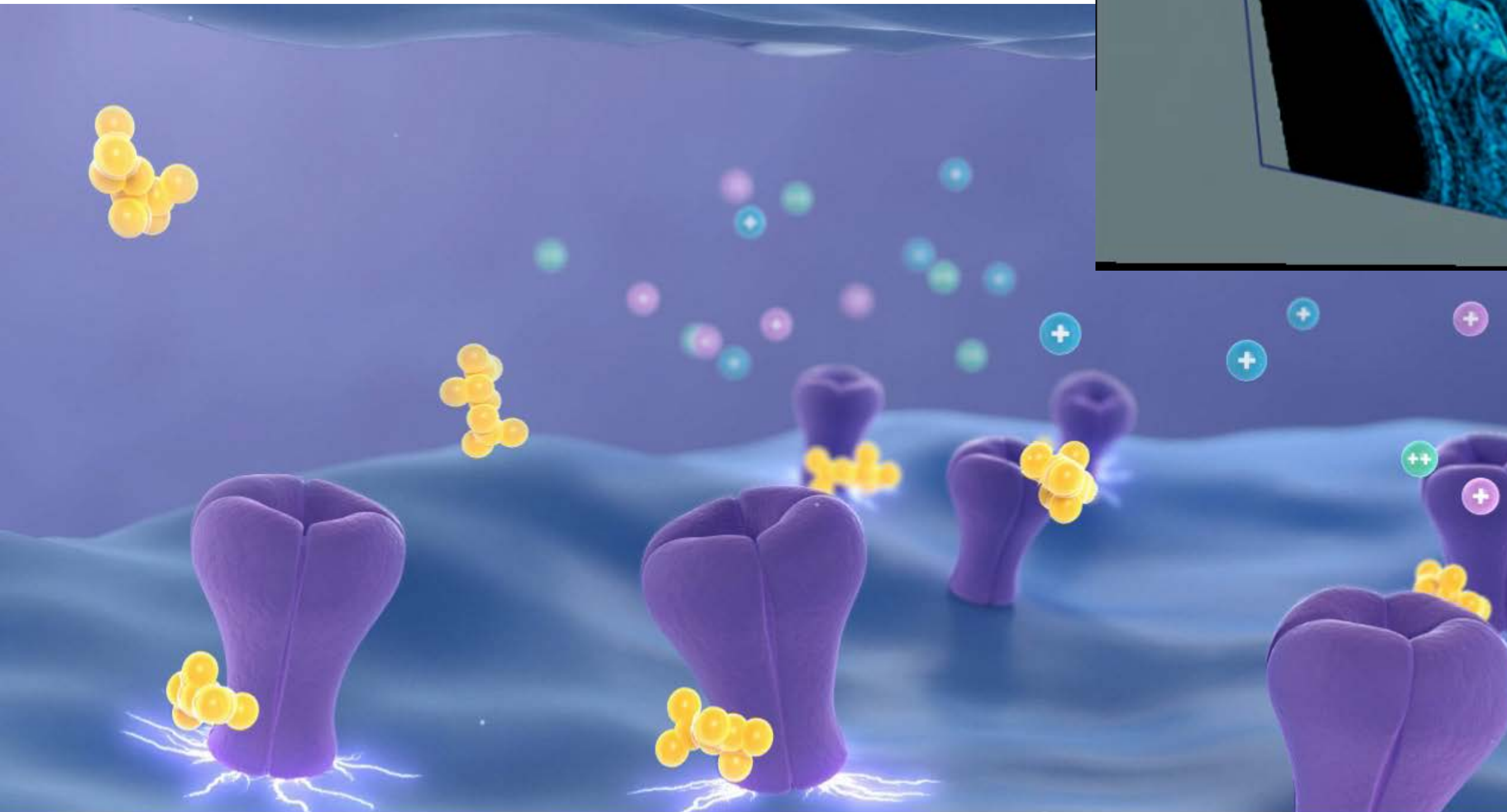
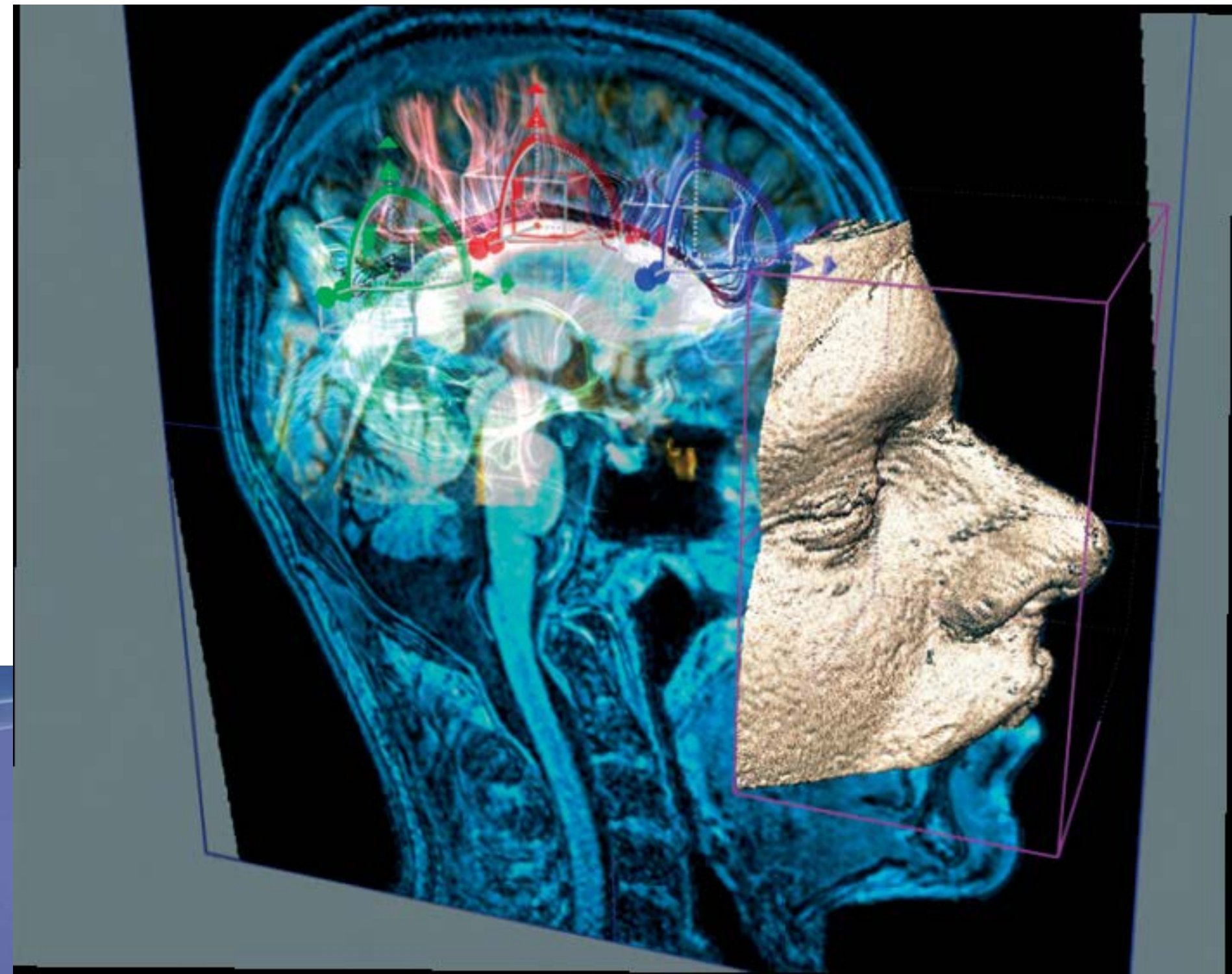
# Architecture



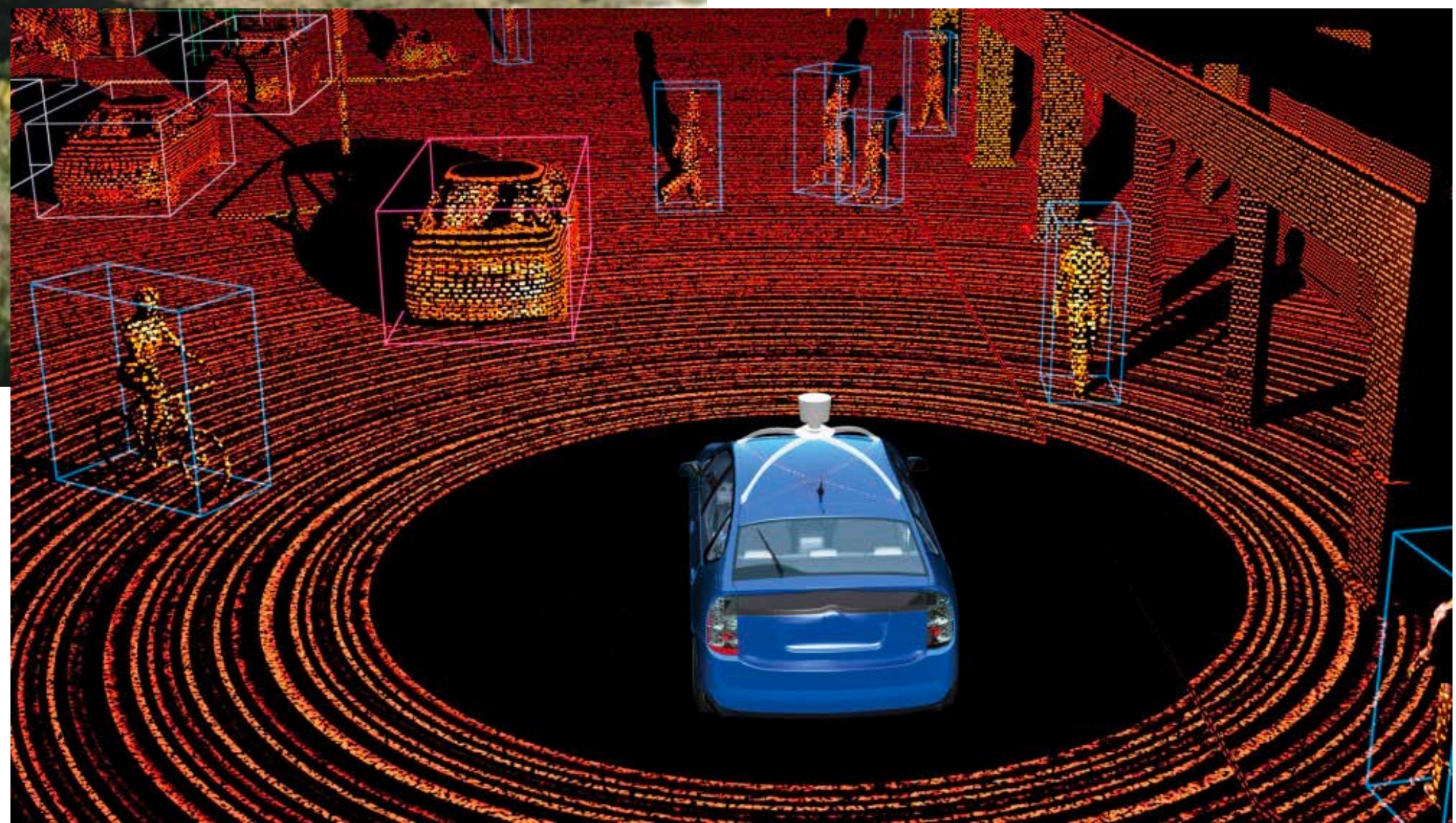
# Scientific/mathematical visualization



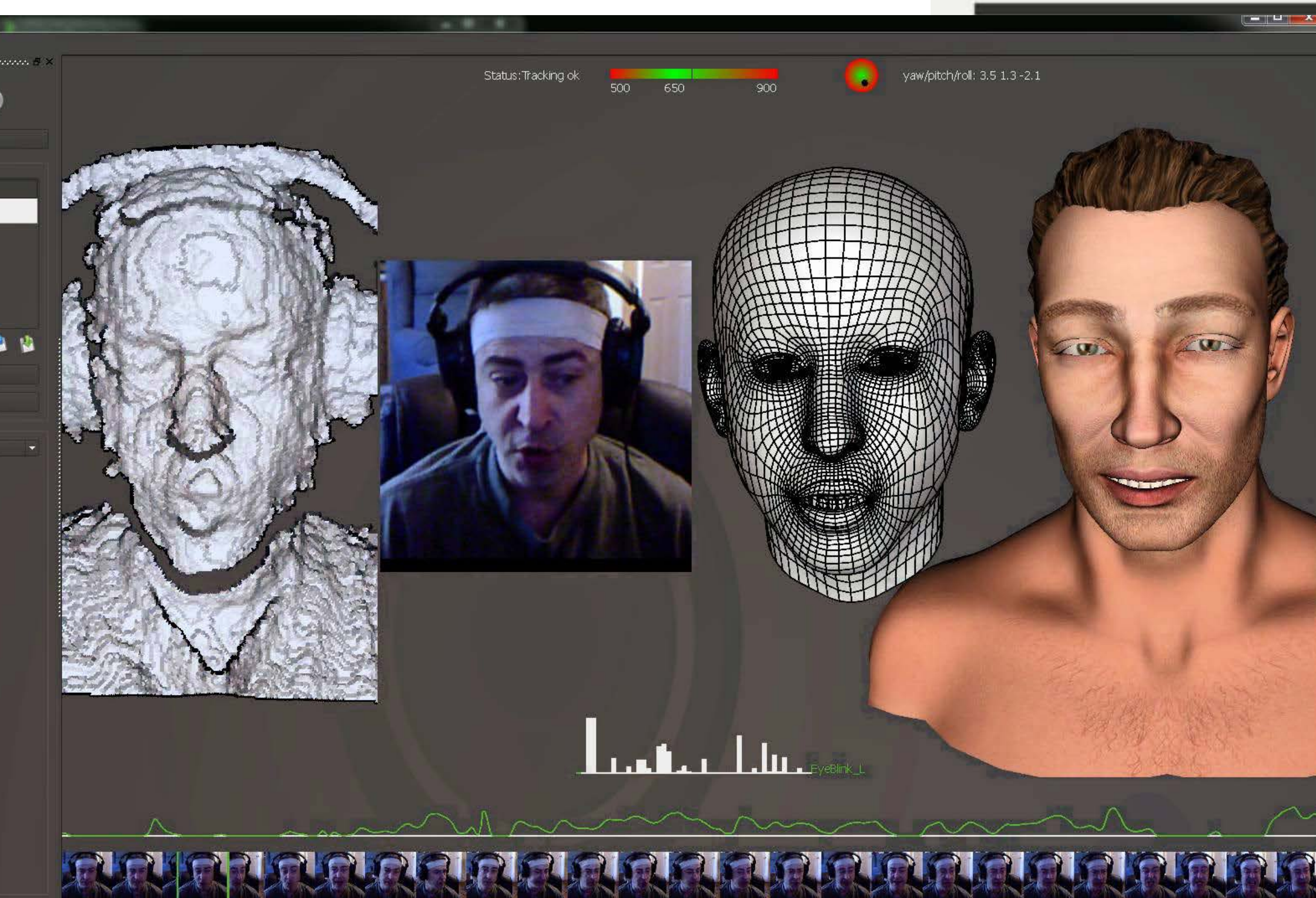
# Medical/anatomical visualization



# Navigation



# Communication



# Foundations of computer graphics

- All these applications demand *sophisticated* theory & systems
- Theory
  - **basic representations** (*how do you digitally encode shape, motion?*)
  - **sampling & aliasing** (*how do you acquire & reproduce a signal?*)
  - **numerical methods** (*how do you manipulate signals numerically?*)
  - **radiometry & light transport** (*how does light behave?*)
  - **perception** (*how does this all relate to humans?*)
  - ...
- Systems
  - **parallel, heterogeneous processing**
  - **graphics-specific programming languages**
  - ...



# ACTIVITY: modeling and drawing a cube

- **Goal: generate a realistic drawing of a cube**
- **Key questions:**
  - ***Modeling*: how do we describe the cube?**
  - ***Rendering*: how do we then visualize this model?**



# ACTIVITY: modeling the cube

## ■ Suppose our cube is...

- centered at the origin  $(0,0,0)$
- has dimensions  $2 \times 2 \times 2$
- edges are aligned with  $x/y/z$  axes

## ■ QUESTION: What are the coordinates of the cube vertices?

A: $(1, 1, 1)$	E: $(1, 1, -1)$
B: $(-1, 1, 1)$	F: $(-1, 1, -1)$
C: $(1, -1, 1)$	G: $(1, -1, -1)$
D: $(-1, -1, 1)$	H: $(-1, -1, -1)$

## ■ QUESTION: What about the edges?

AB, CD, EF, GH,  
AC, BD, EG, FH,  
AE, CG, BF, DH

# ACTIVITY: drawing the cube

- Now have a digital description of the cube:

## VERTICES

A: ( 1, 1, 1 )      E: ( 1, 1, -1 )  
B: ( -1, 1, 1 )      F: ( -1, 1, -1 )  
C: ( 1, -1, 1 )      G: ( 1, -1, -1 )  
D: ( -1, -1, 1 )      H: ( -1, -1, -1 )

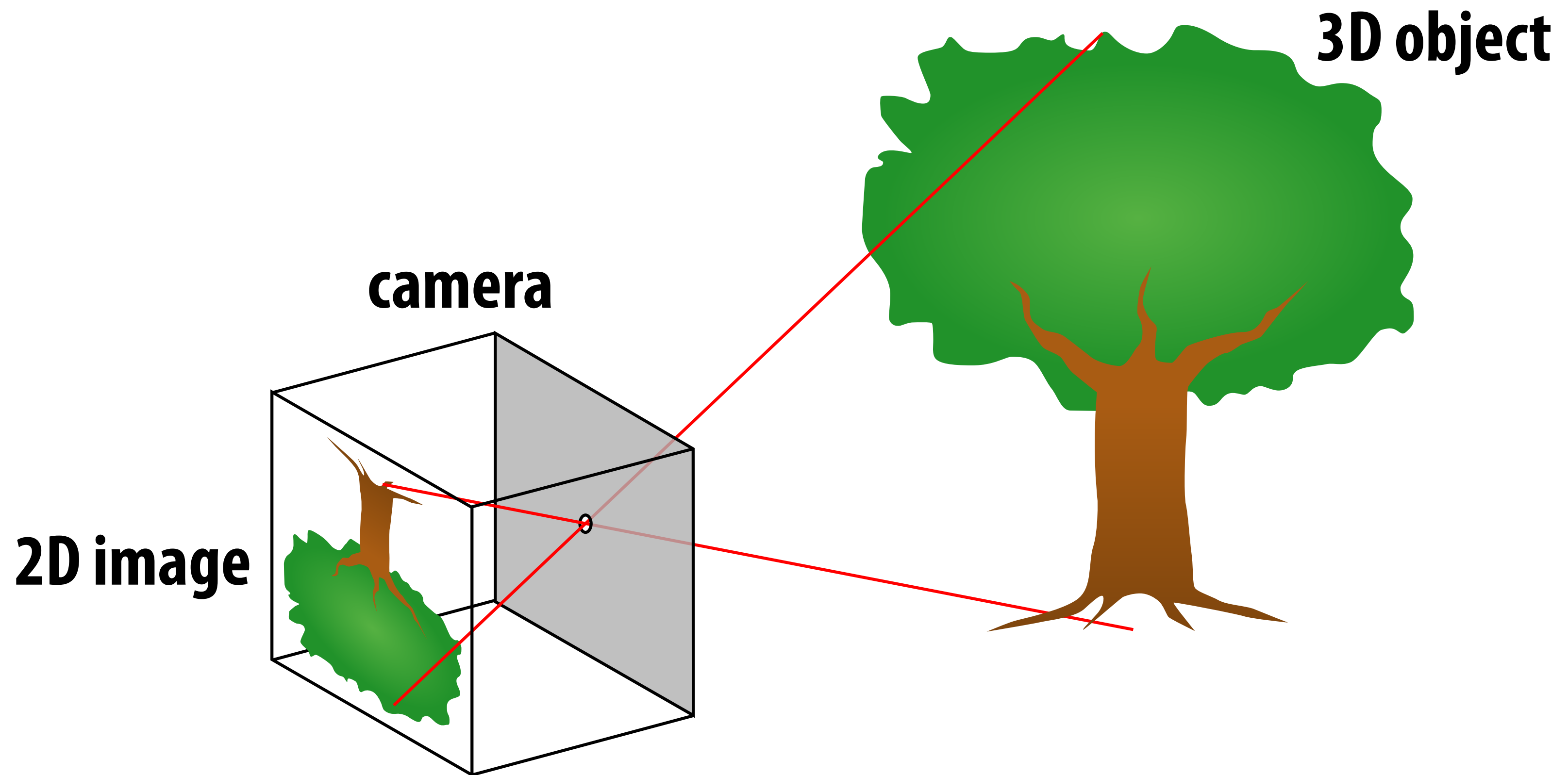
## EDGES

AB, CD, EF, GH,  
AC, BD, EG, FH,  
AE, CG, BF, DH

- How do we draw this 3D cube as a 2D (flat) image?
- Basic strategy:
  1. map 3D vertices to 2D points in the image
  2. connect 2D points with straight lines
- ...Ok, but how?

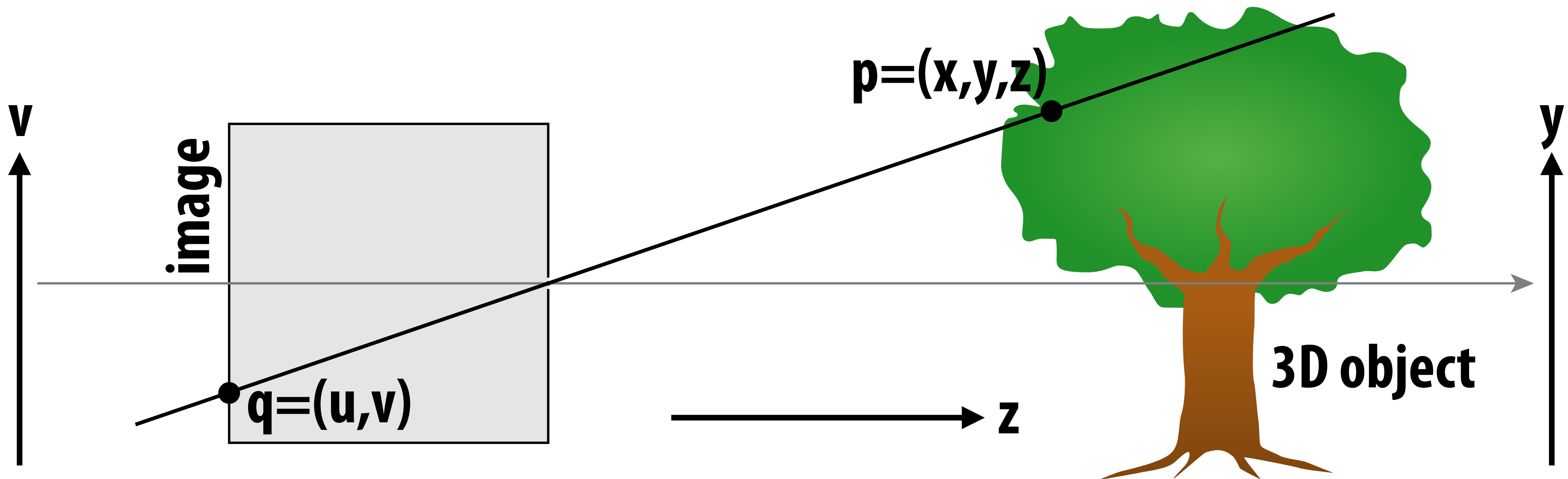
# Perspective projection

- Objects look smaller as they get further away (“perspective”)
- Why does this happen?
- Consider simple (“pinhole”) model of a camera:



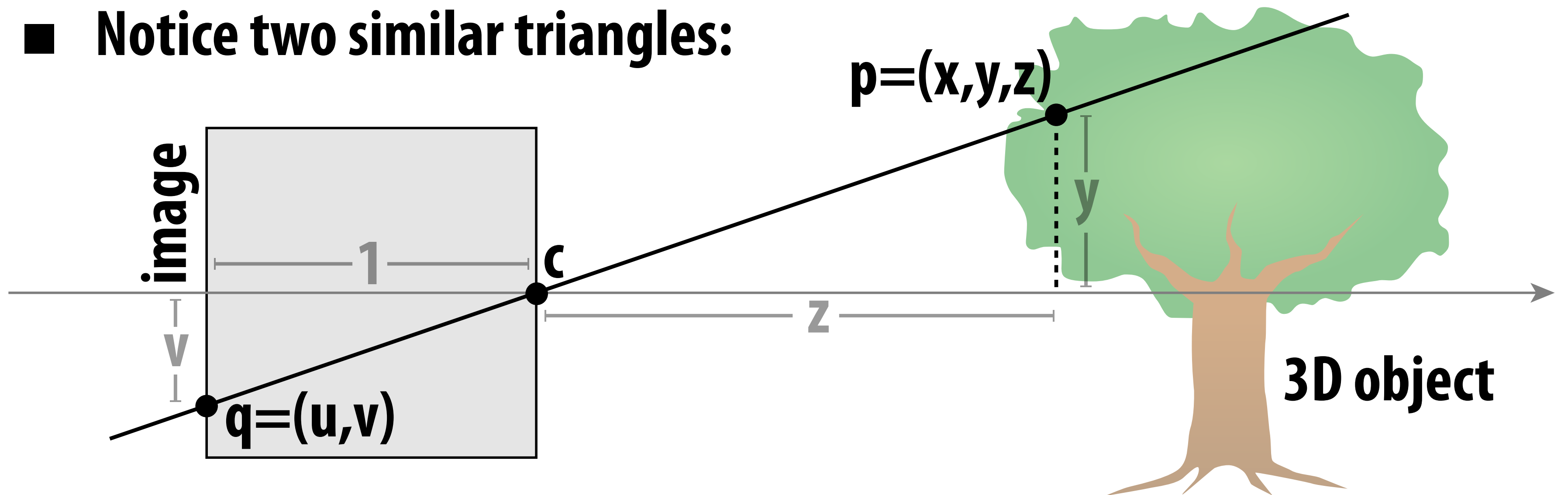
# Perspective projection: side view

- Where exactly does a point  $p = (x, y, z)$  end up on the image?
- Let's call the image point  $q = (u, v)$



# Perspective projection: side view

- Where exactly does a point  $p = (x, y, z)$  end up on the image?
- Let's call the image point  $q = (u, v)$
- Notice two similar triangles:



- Assume camera has unit size, origin is at pinhole  $c$
- Then  $v/1 = y/z$ , i.e., vertical coordinate is just the slope  $y/z$
- Likewise, horizontal coordinate is  $u = x/z$

# ACTIVITY: now draw it!

## ■ Repeat the same simple algorithm 12 times

- Once for each edge

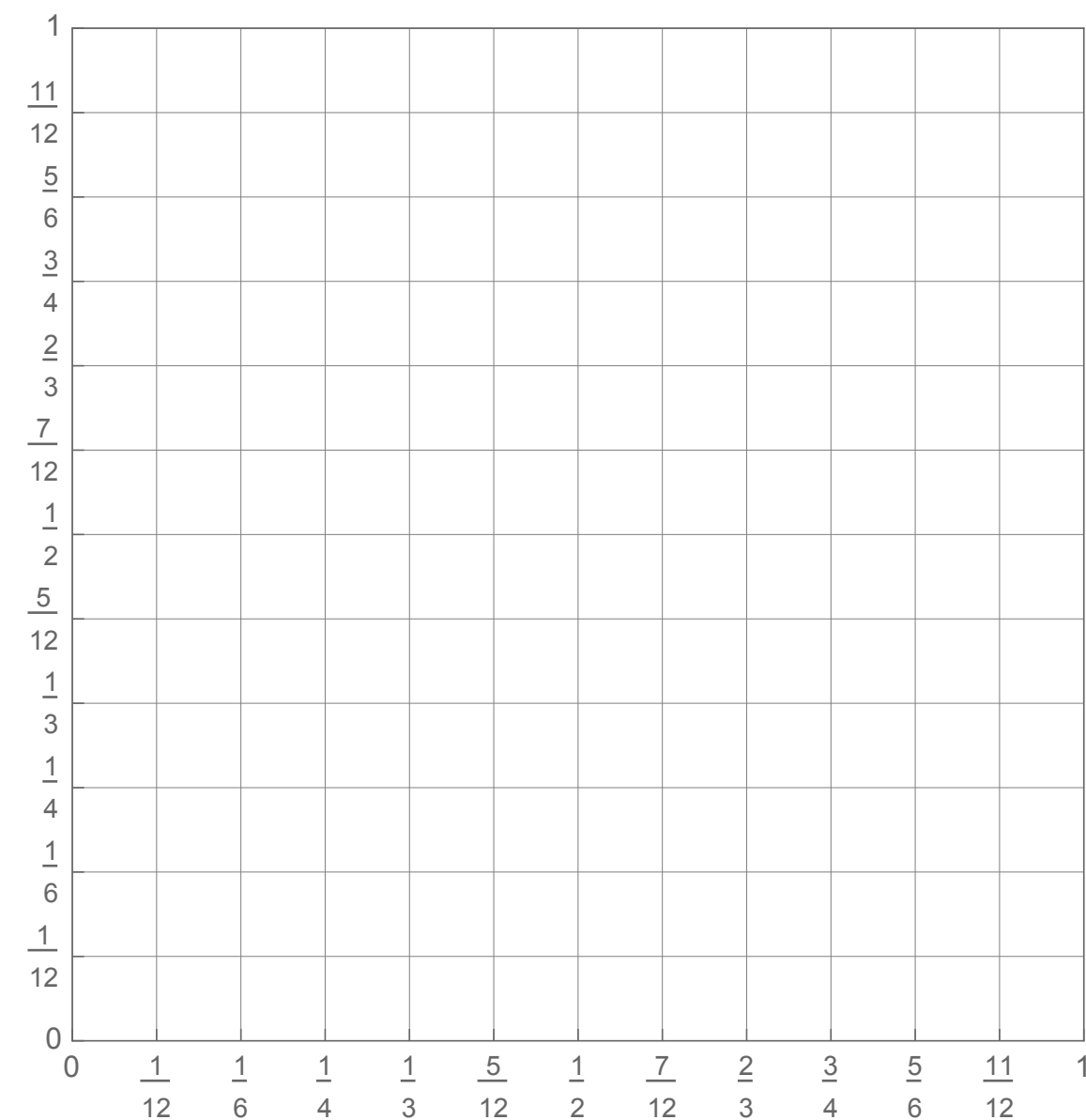
- Assume camera is at  $c=(2,3,5)$

- Convert  $(X,Y,Z)$  of both endpoints to  $(u,v)$ :

1. subtract camera  $c$  from vertex  $(X,Y,Z)$  to get  $(x,y,z)$

2. divide  $(x,y)$  by  $z$  to get  $(u,v)$ —*write as a fraction*

- Draw line between  $(u_1,v_1)$  and  $(u_2,v_2)$



### VERTICES

A: ( 1, 1, 1 )

B: ( -1, 1, 1 )

C: ( 1, -1, 1 )

D: ( -1, -1, 1 )

E: ( 1, 1, -1 )

F: ( -1, 1, -1 )

G: ( 1, -1, -1 )

H: ( -1, -1, -1 )

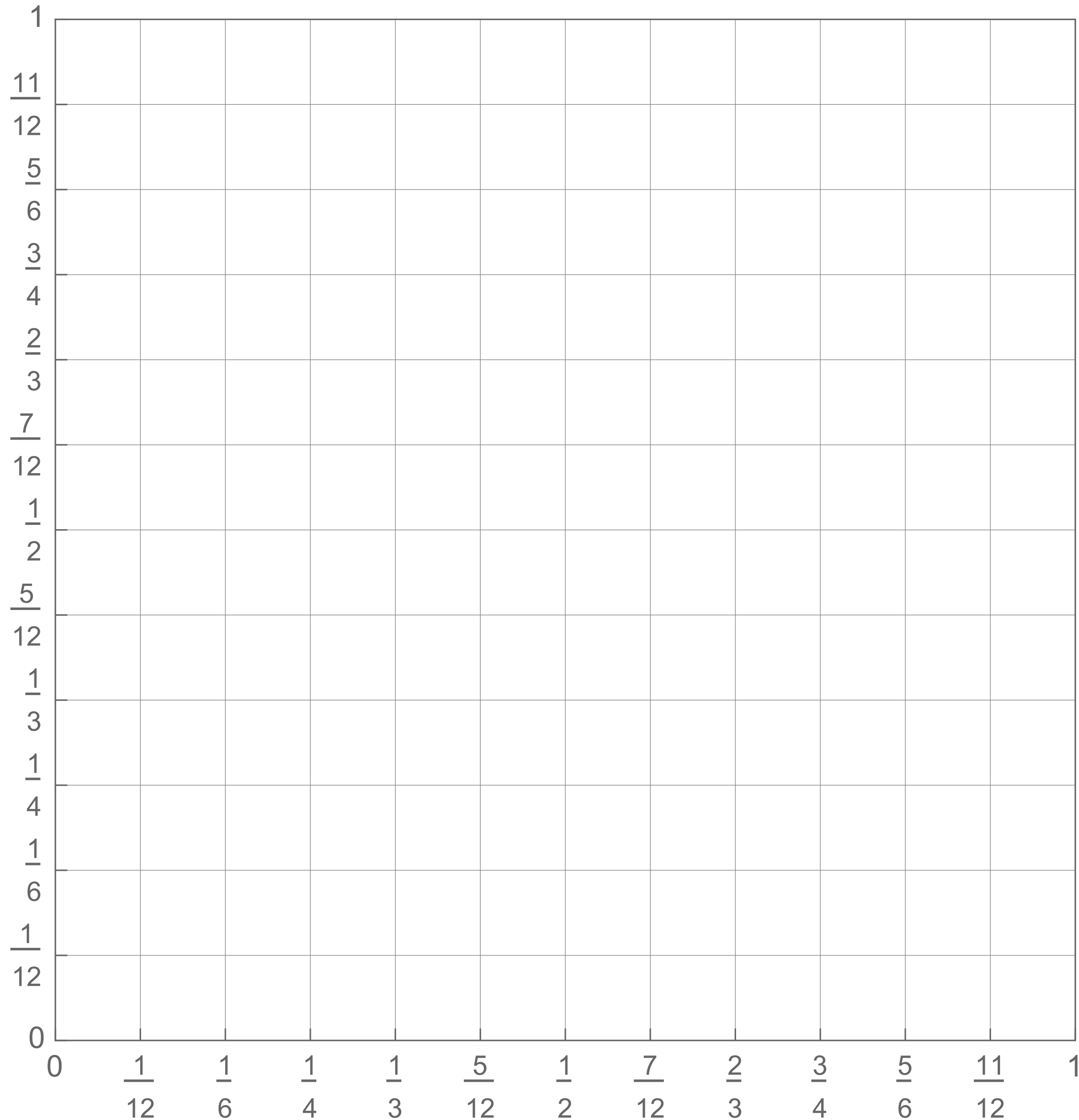
### EDGES

AB, CD, EF, GH,

AC, BD, EG, FH,

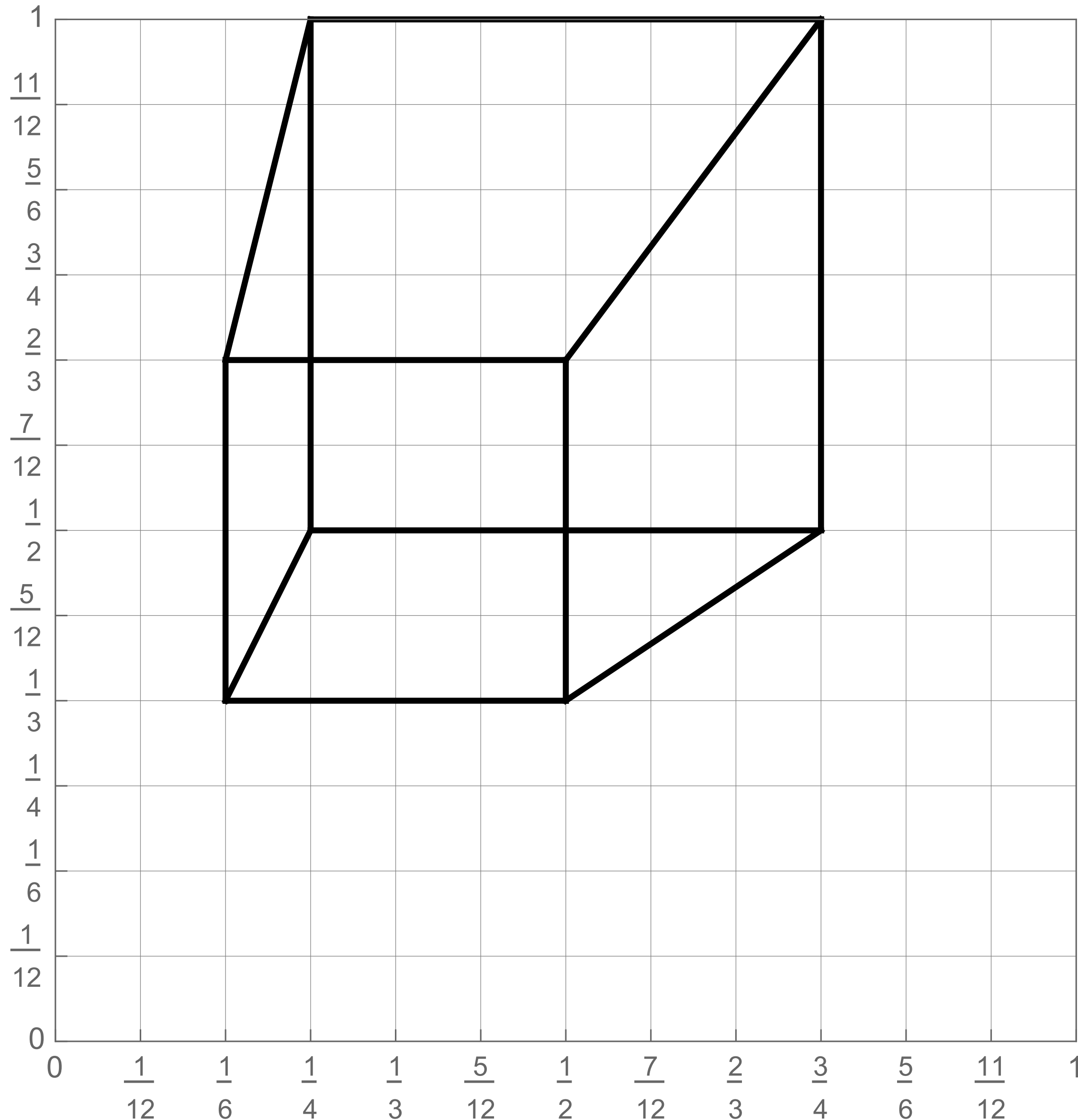
AE, CG, BF, DH

# ACTIVITY: output on graph paper





# ACTIVITY: How did you do?



## 2D coordinates:

A:  $1/4, 1/2$

B:  $3/4, 1/2$

C:  $1/4, 1$

D:  $3/4, 1$

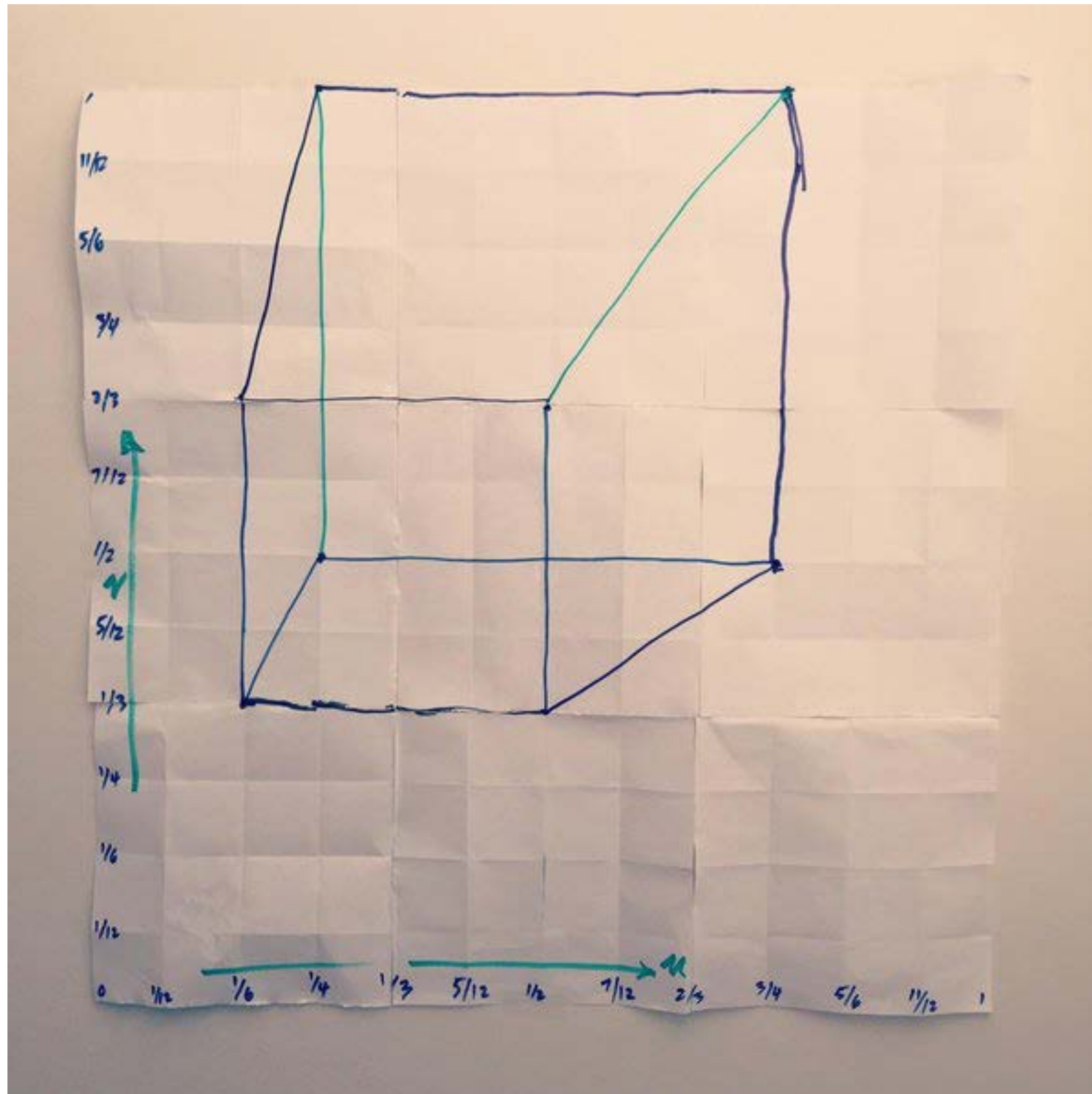
E:  $1/6, 1/3$

F:  $1/2, 1/3$

G:  $1/6, 2/3$

H:  $1/2, 2/3$

# ACTIVITY: Previous year's result



**Success! We turned purely digital information into purely visual information, using a completely algorithmic procedure.**



**digital information**

**computation**



**visual information**



**But wait...**

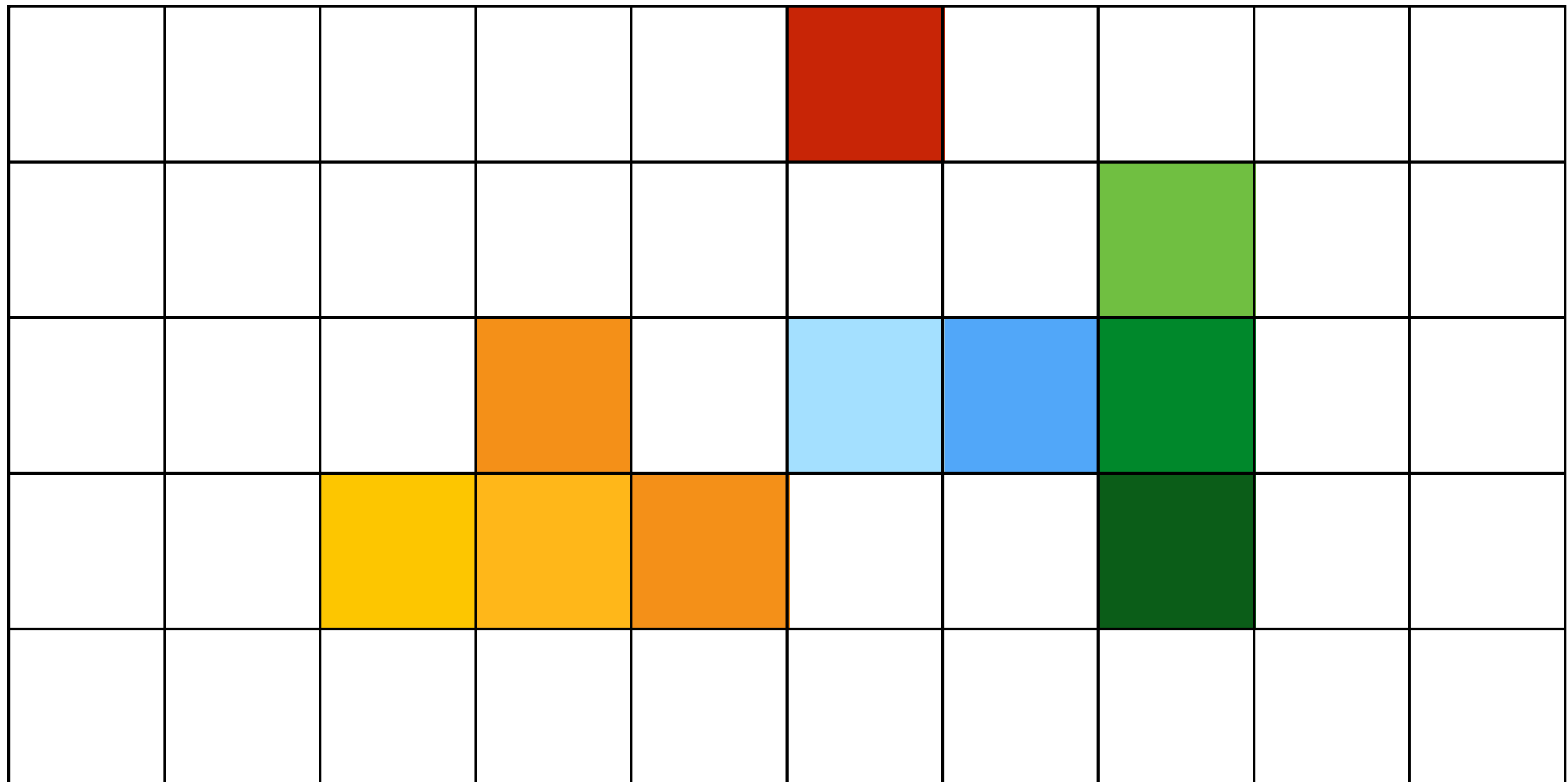
**How do we draw lines on a computer?**

# Close up photo of pixels on a modern display



# Output for a raster display

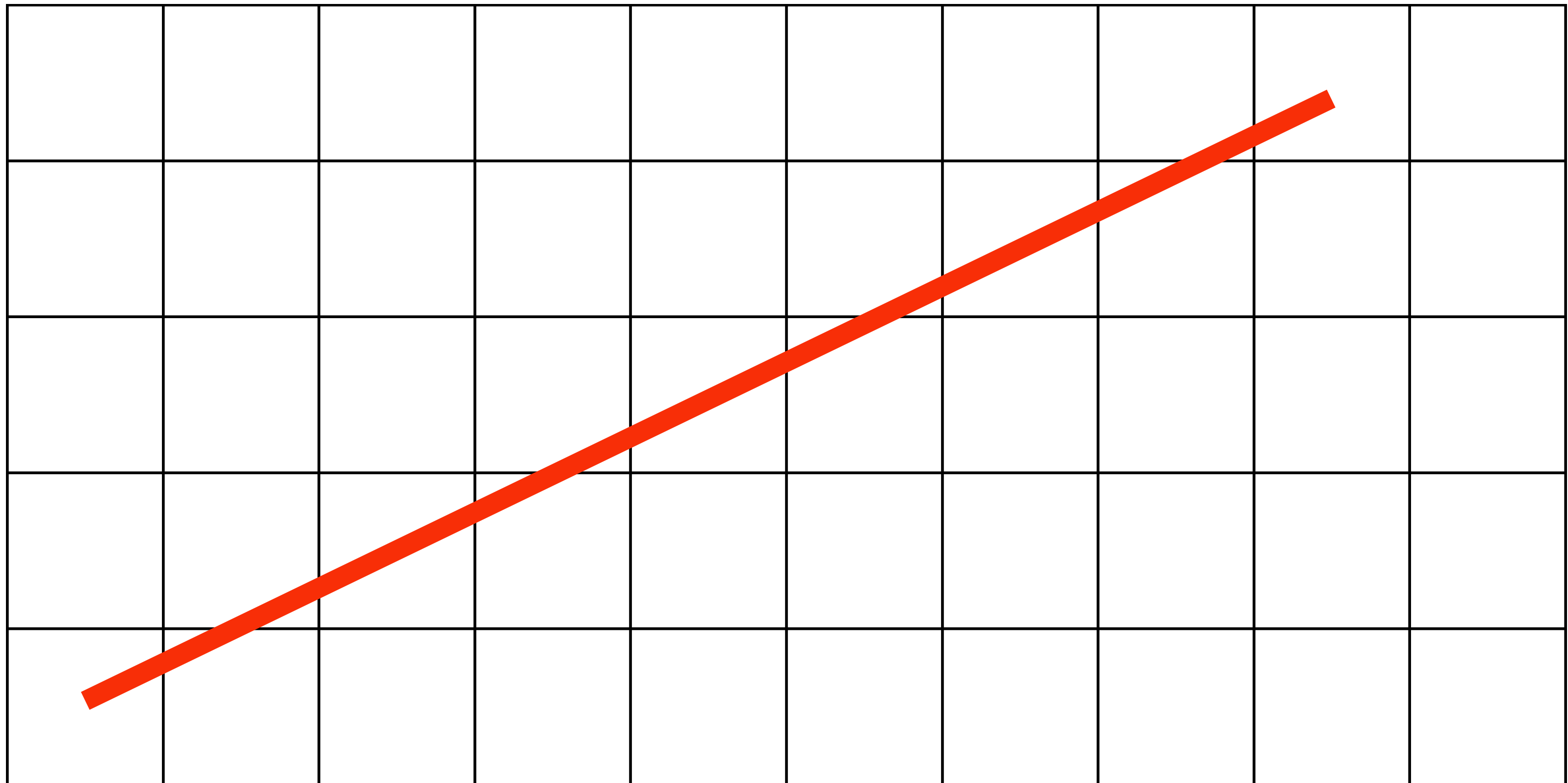
- **Common abstraction of a raster display:**
  - **Image represented as a 2D grid of “pixels” (picture elements) \*\***
  - **Each pixel can take on a unique color value**



**\*\* We will strongly challenge this notion of a pixel “as a little square” soon enough.  
But let’s go with it for now. ;-)**

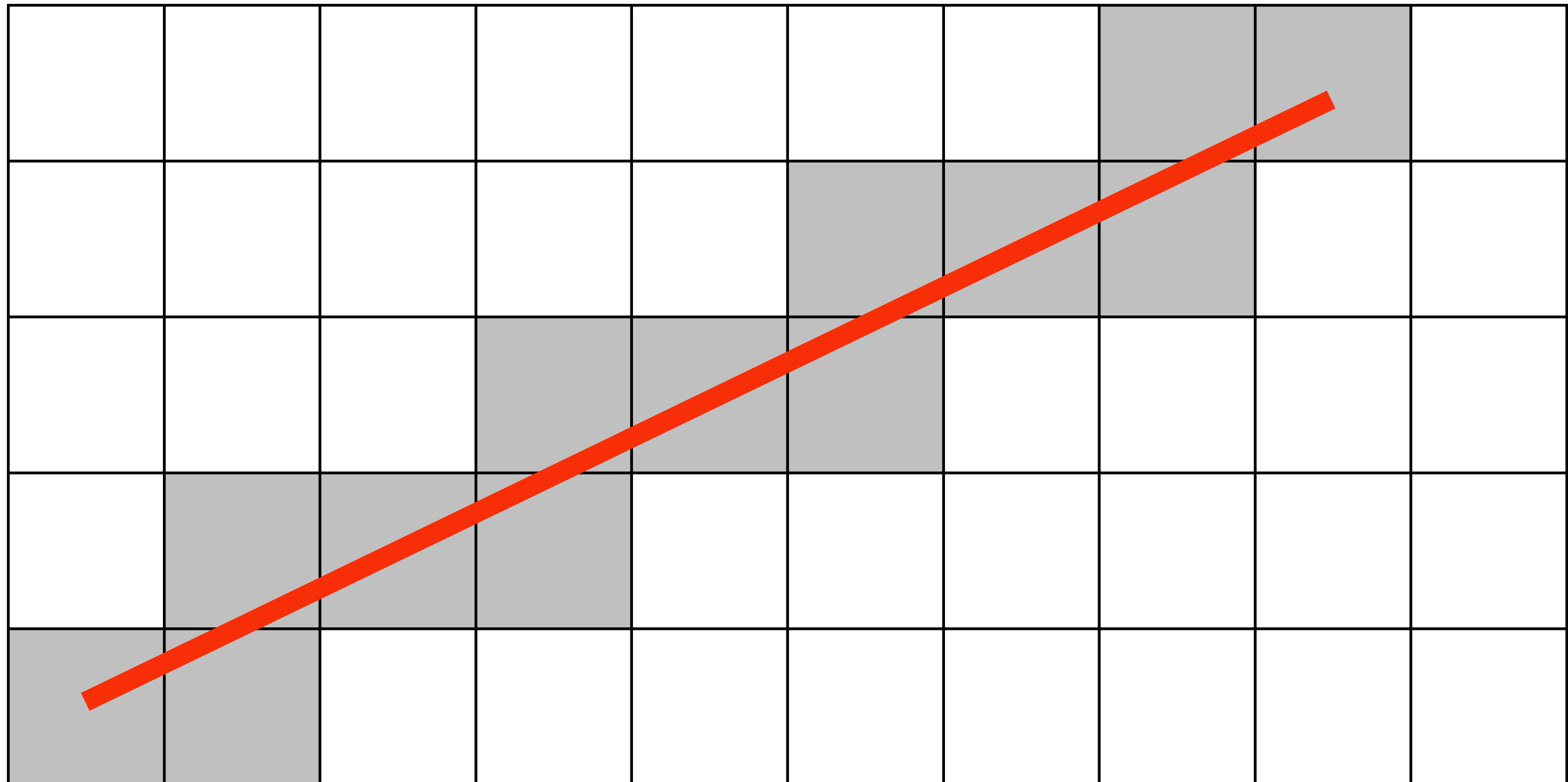
# What pixels should we color in to depict a line?

**“Rasterization”**: process of converting a continuous object to a discrete representation on a raster grid (pixel grid)



# What pixels should we color in to depict a line?

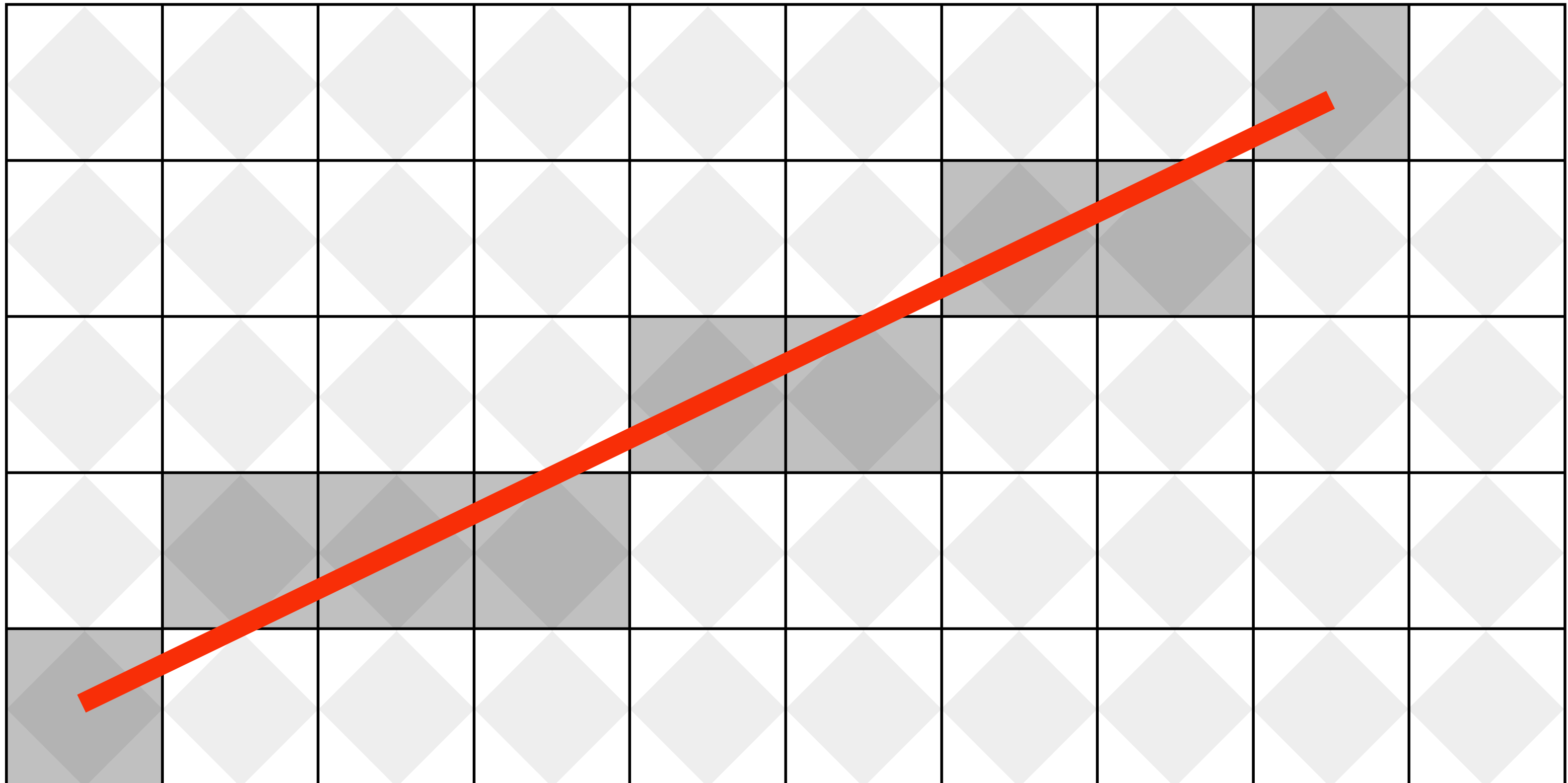
Light up all pixels intersected by the line?





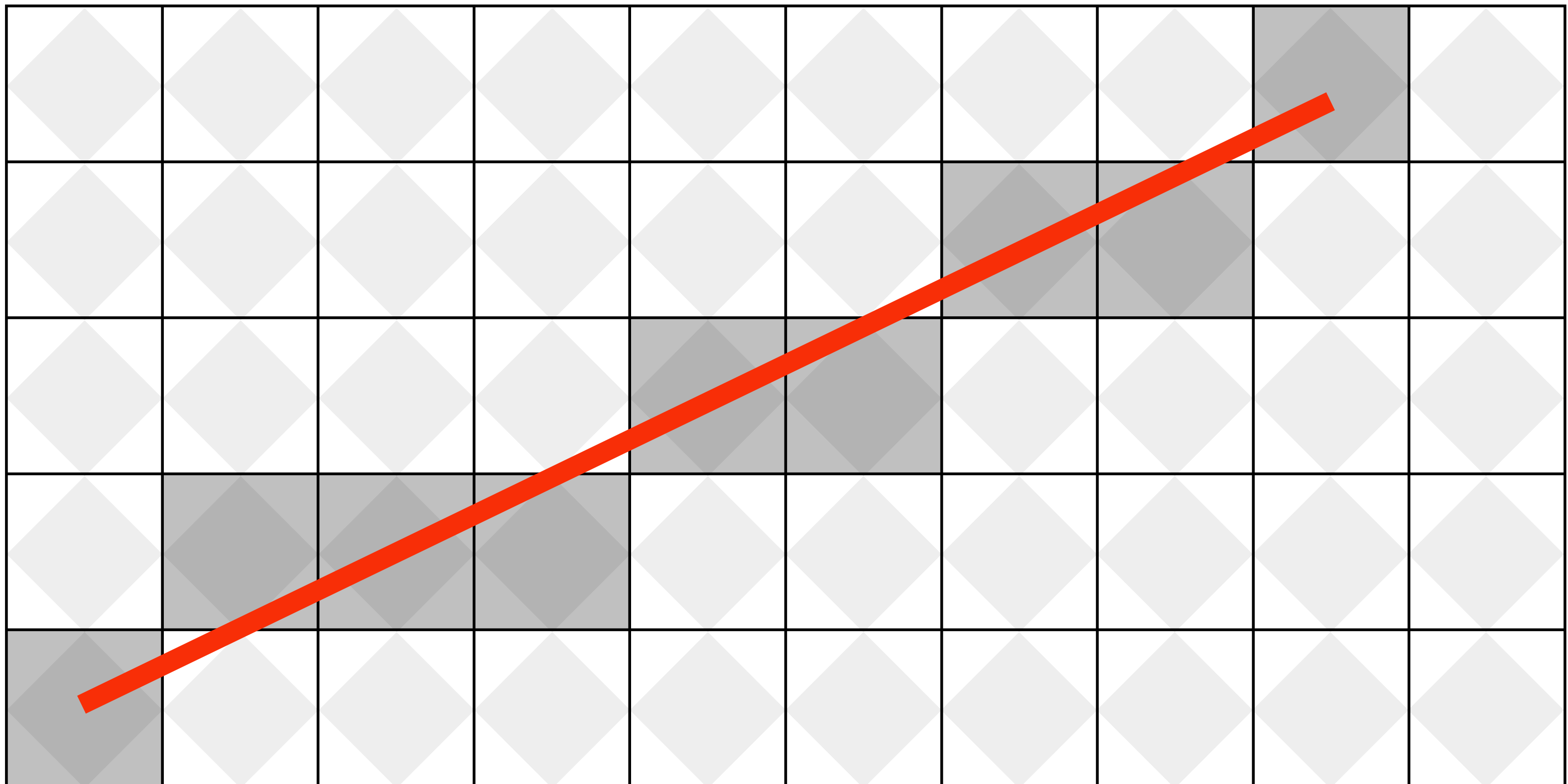
# What pixels should we color in to depict a line?

**Diamond rule (used by modern GPUs):  
light up pixel if line passes through associated diamond**



# What pixels should we color in to depict a line?

Is there a right answer?  
(consider a drawing a "line" with thickness)



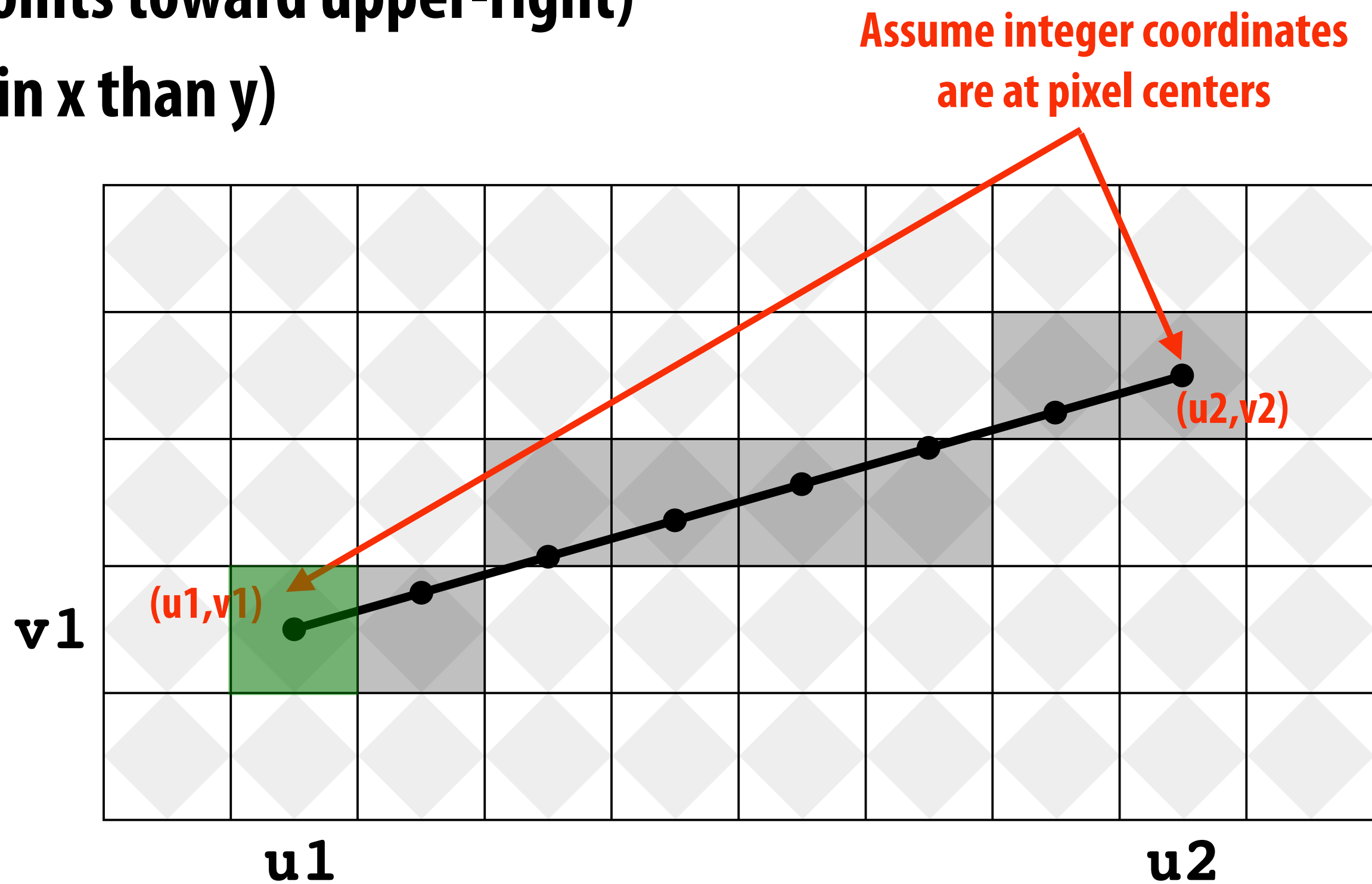
# How do we find the pixels satisfying a chosen rasterization rule?

- **Could check every single pixel in the image to see if it meets the condition...**
  - **$O(n^2)$  pixels in image vs. at most  $O(n)$  “lit up” pixels**
  - ***must* be able to do better! (e.g., work proportional to number of pixels in the drawing of the line)**

# Incremental line rasterization

- Let's say a line is represented with integer endpoints:  $(u_1, v_1), (u_2, v_2)$
- Slope of line:  $s = (v_2 - v_1) / (u_2 - u_1)$
- Consider an easy special case:
  - $u_1 < u_2, v_1 < v_2$  (line points toward upper-right)
  - $0 < s < 1$  (more change in x than y)

```
v = v1;
for(u=u1; u<=u2; u++)
{
    v += s;
    draw(u, round(v))
}
```



Easy to implement... not how lines are drawn in modern software/hardware!

# We now have our first complete graphics algorithm!

## Digital information

### VERTICES

A: ( 1, 1, 1 )

B: ( -1, 1, 1 )

C: ( 1, -1, 1 )

D: ( -1, -1, 1 )

E: ( 1, 1, -1 )

F: ( -1, 1, -1 )

G: ( 1, -1, -1 )

H: ( -1, -1, -1 )

### EDGES

AB, CD, EF, GH,

AC, BD, EG, FH,

AE, CG, BF, DH

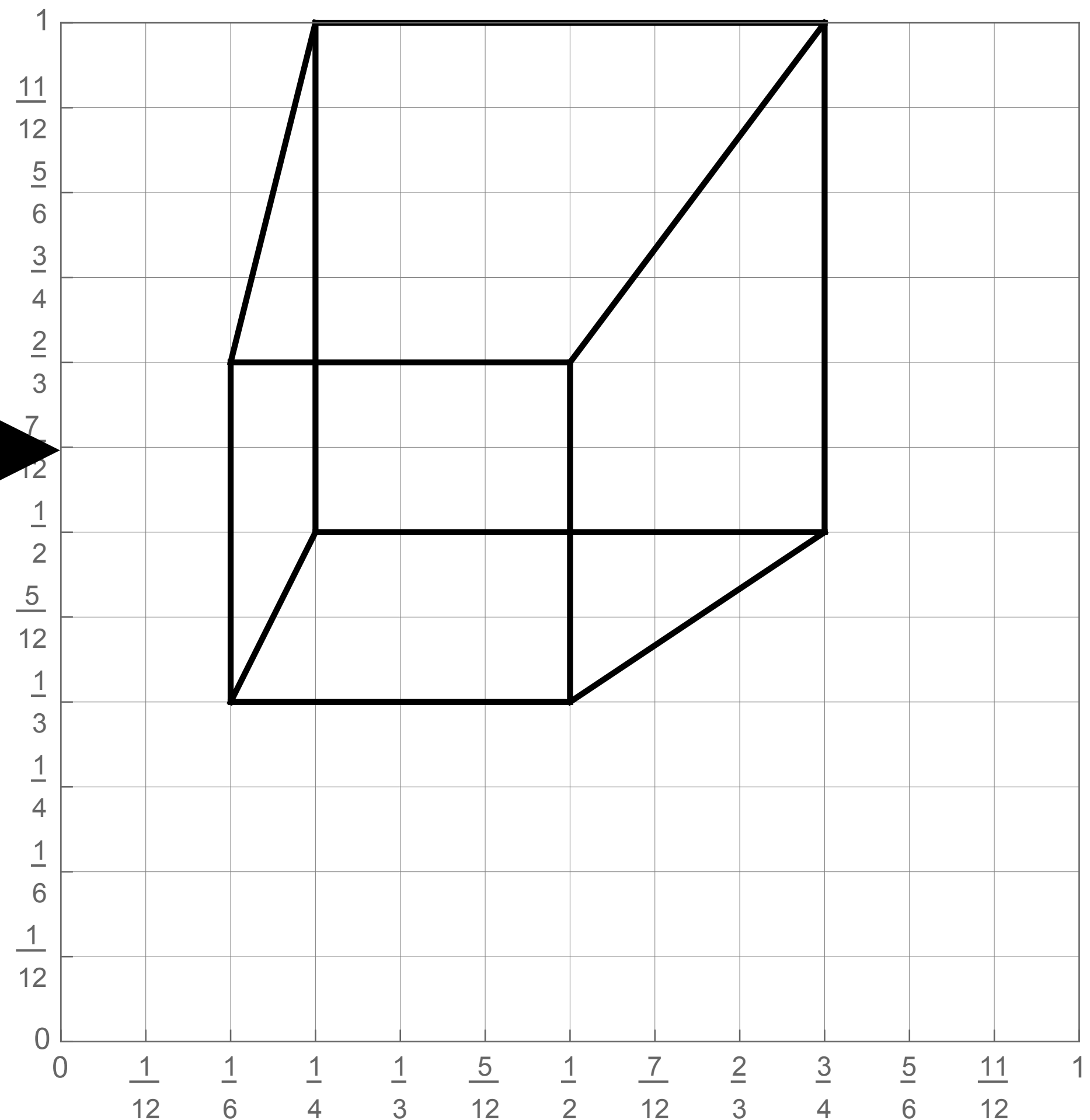
### CAMERA

C = ( 2, 3, 5 )

**computation**



## Visual information



**This is fundamentally what computer graphics is all about...**

**So far, just made a simple line drawing of a cube.**

**For more realistic pictures, will need a much  
richer model of the world:**

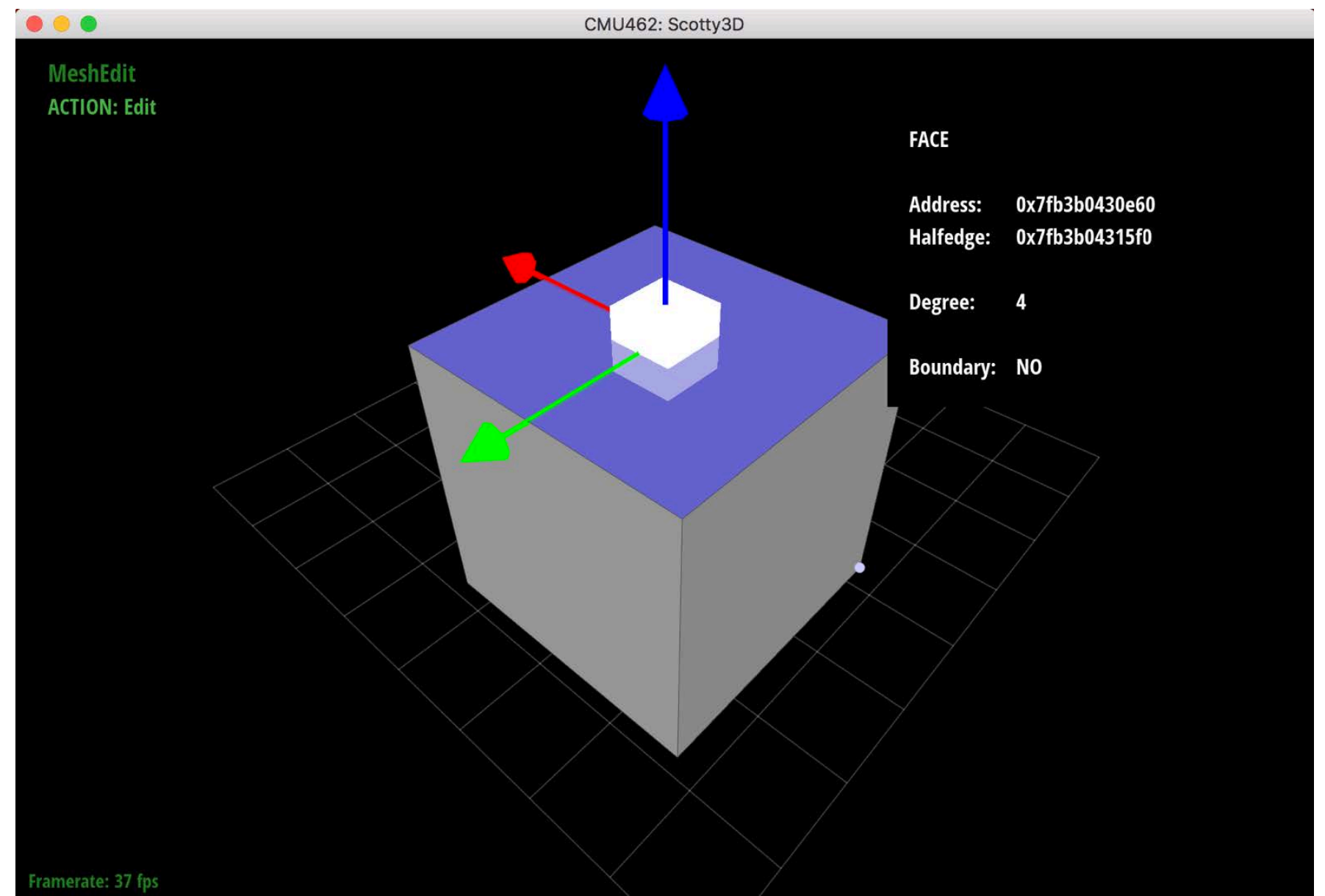
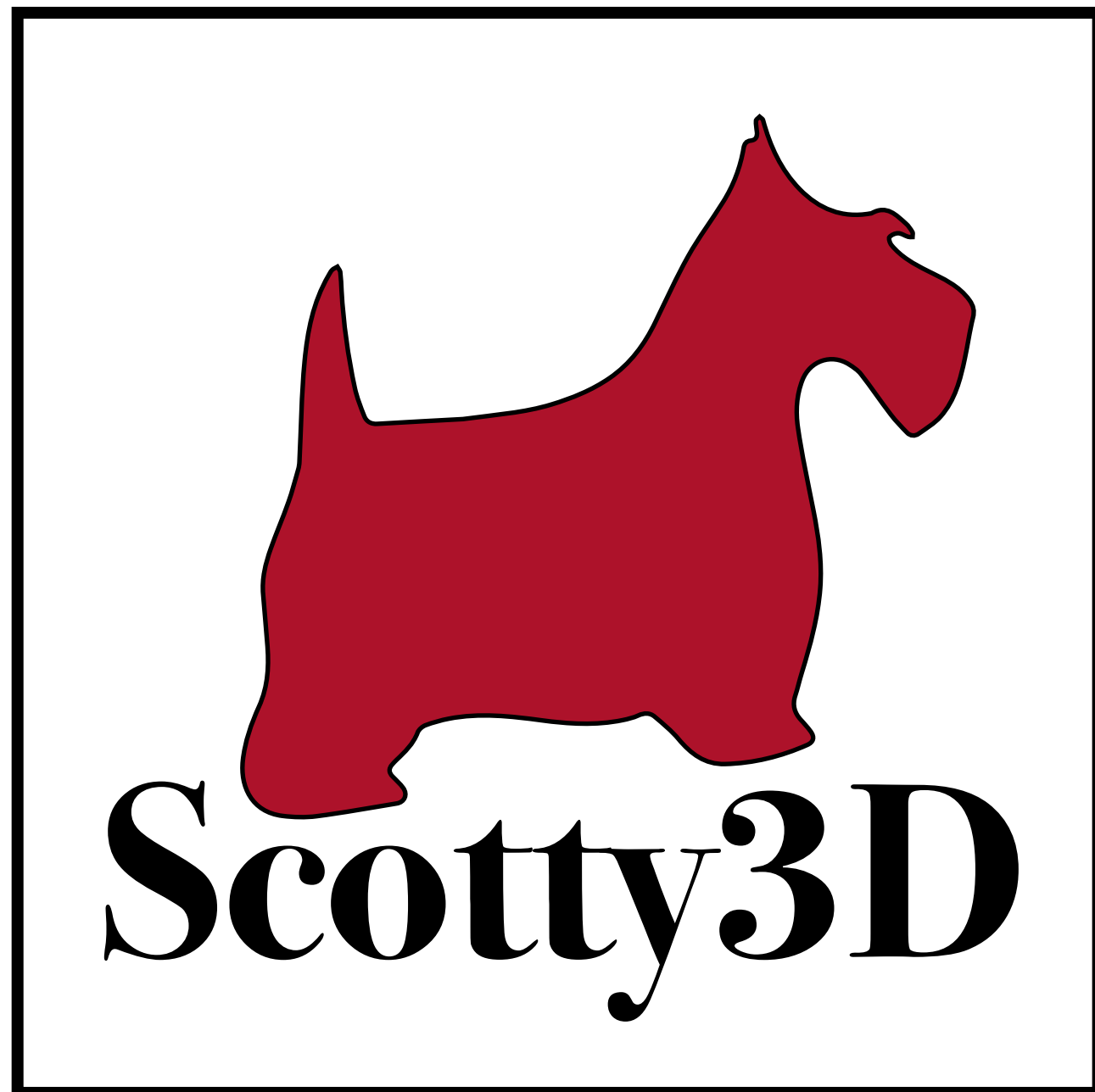
**GEOMETRY  
MATERIALS  
LIGHTS  
CAMERAS  
MOTION**

**...**

**Will see all of this (and more!) as our course  
progresses.**

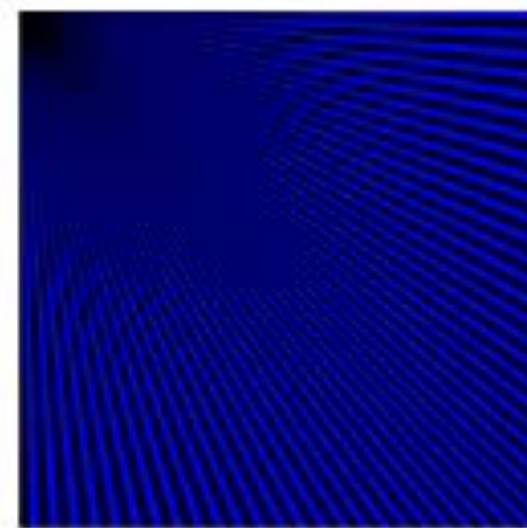
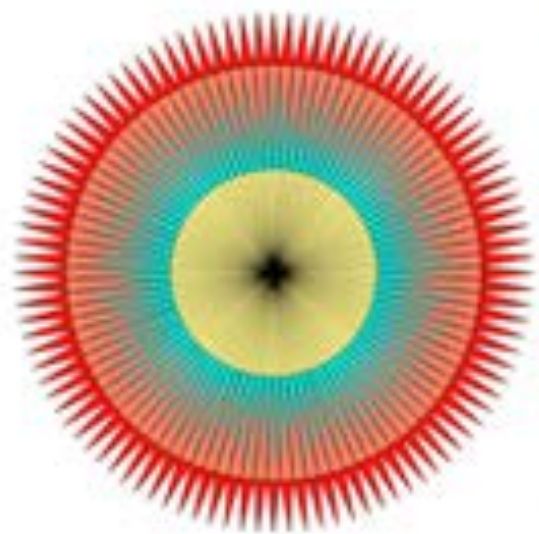
# Learn by making/doing!

- Build up “Scotty3D” package for modeling/rendering/animation



**Broken up into four major assignments...**

# Assignment 1: Rasterization





# Motivation: display images like these!

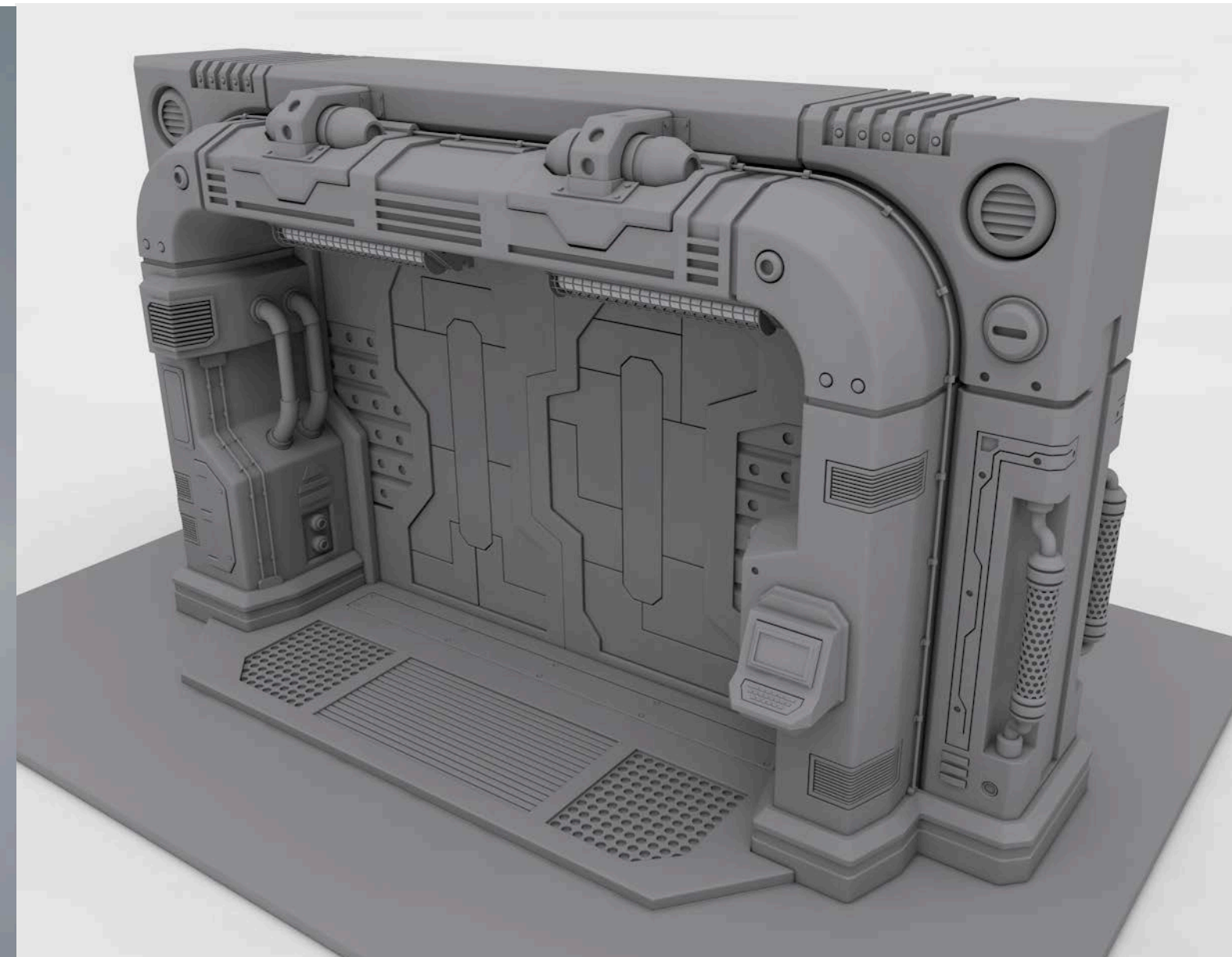
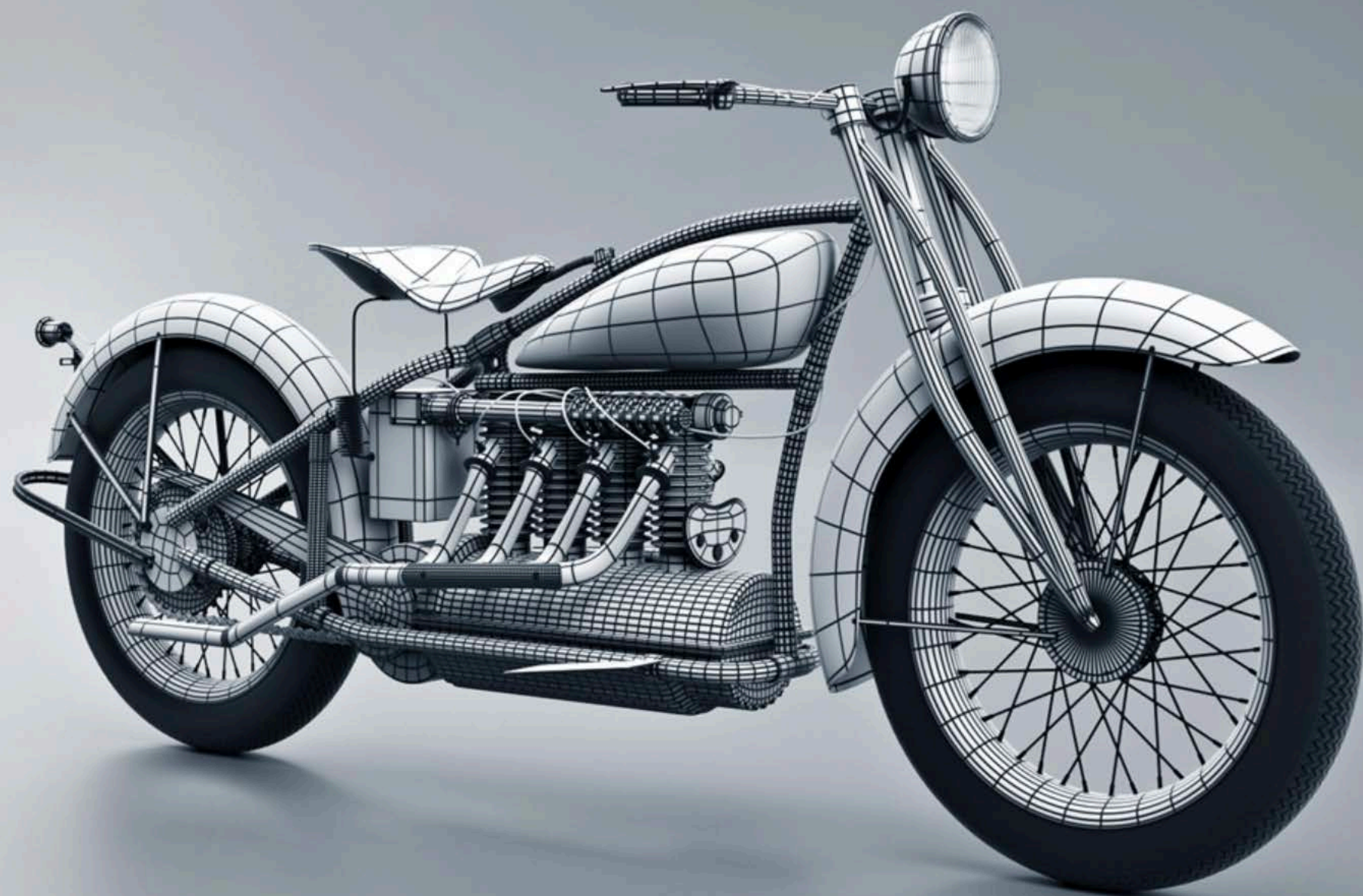


Computer  
Graphics

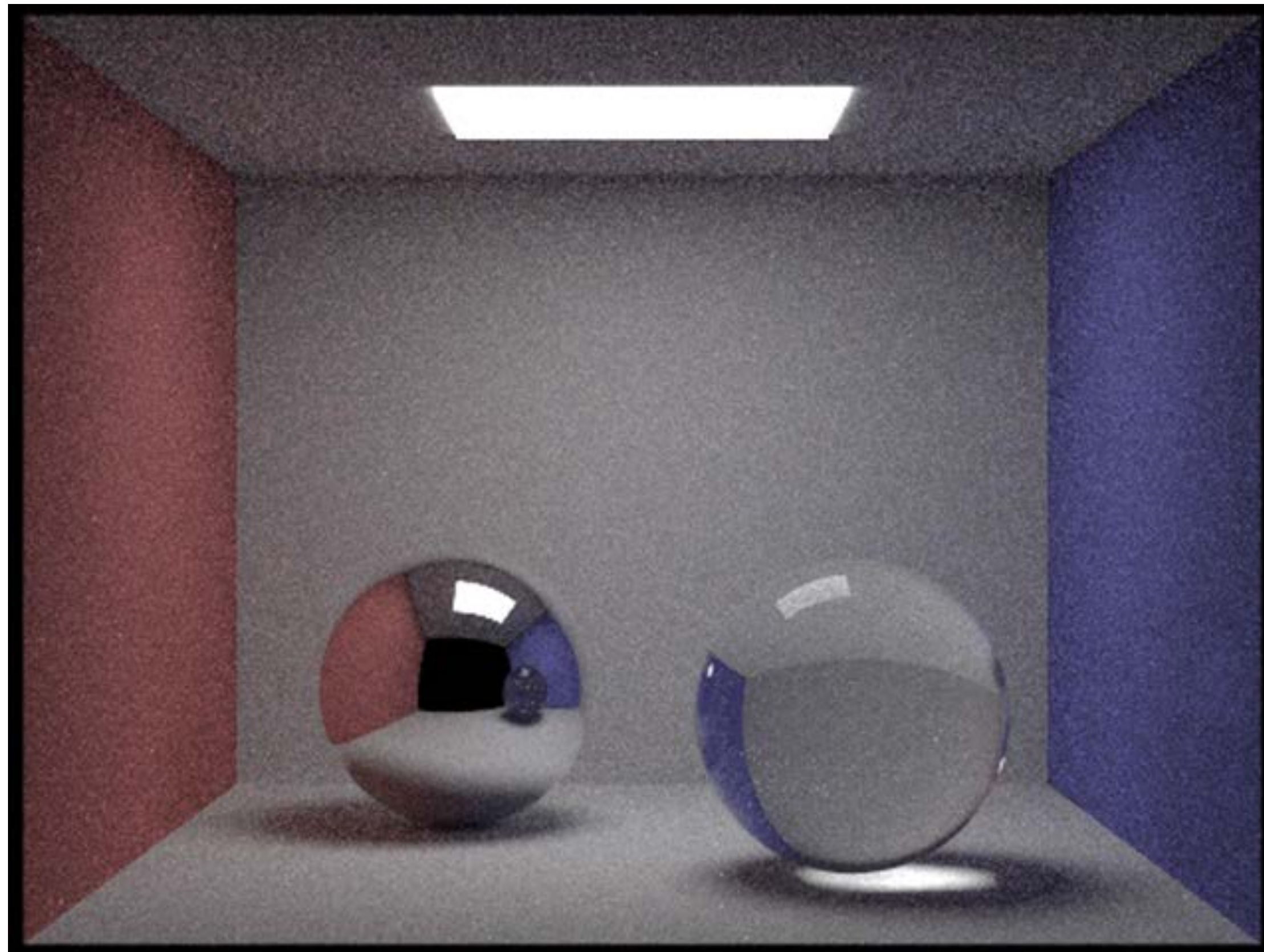
# Assignment 2: Geometric Modeling



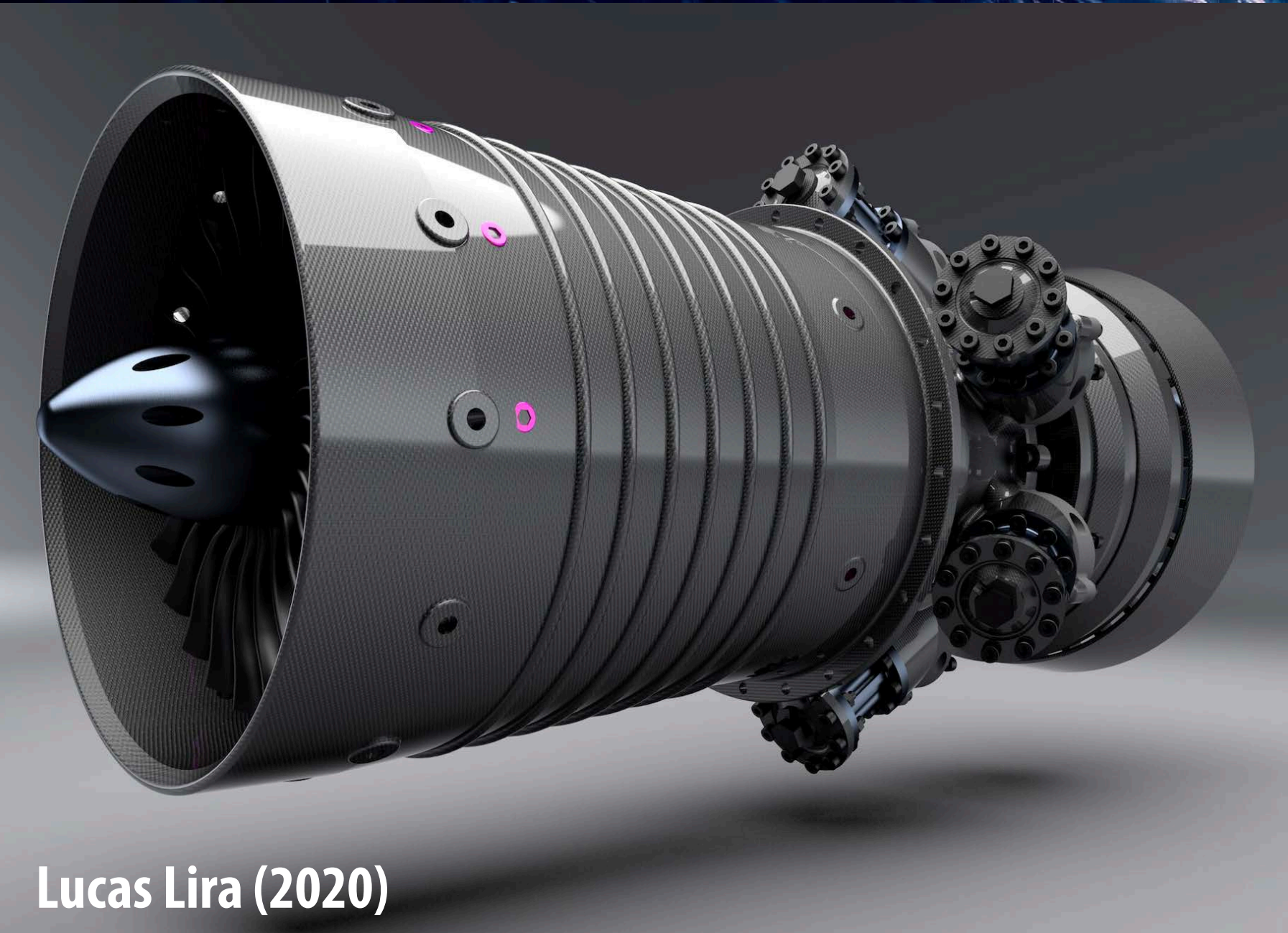
# Motivation: create models like these!



# Assignment 3: Photorealistic Rendering



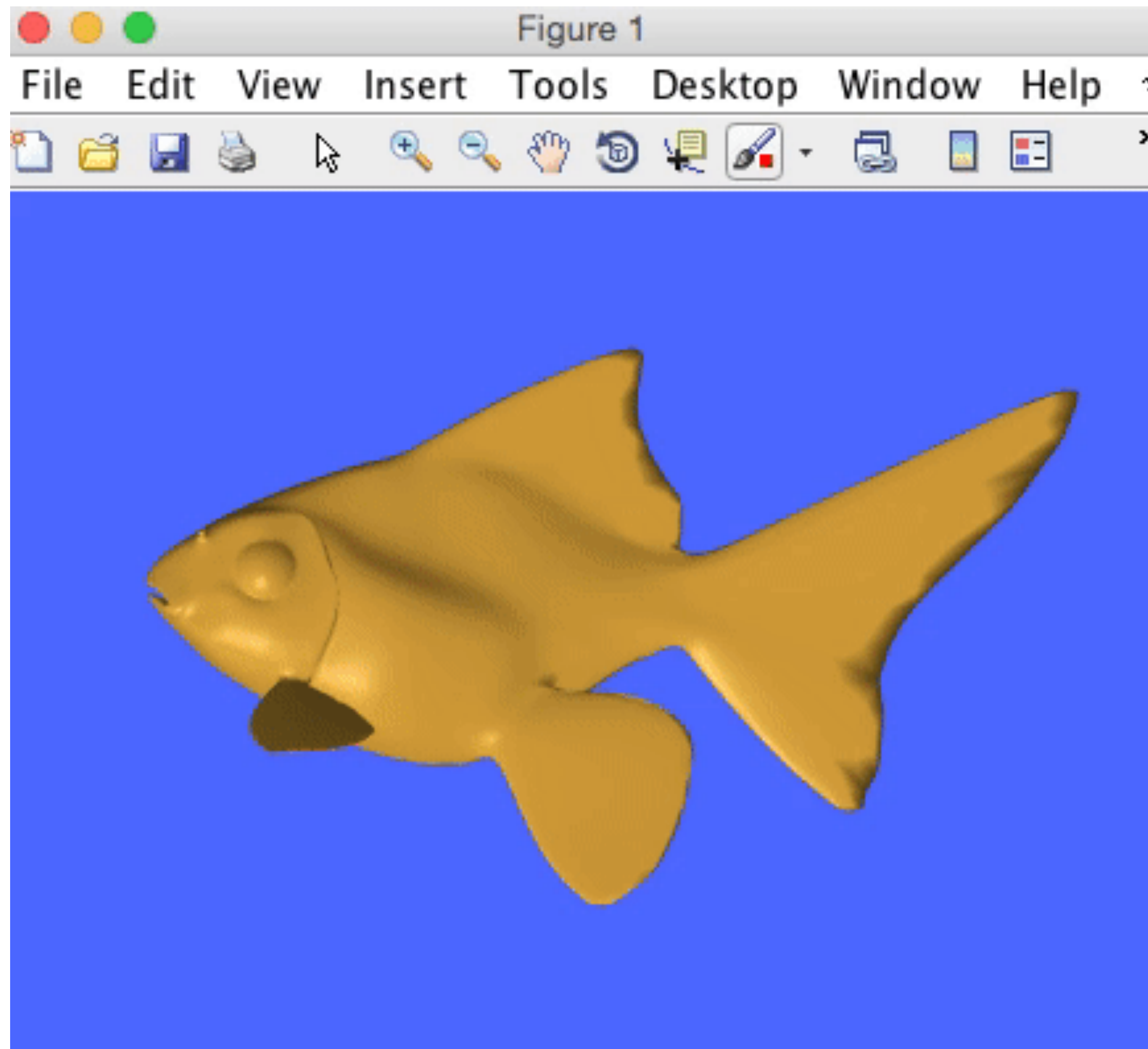
# Motivation: render images like these!



Moana (Disney 2016)

Lucas Lira (2020)

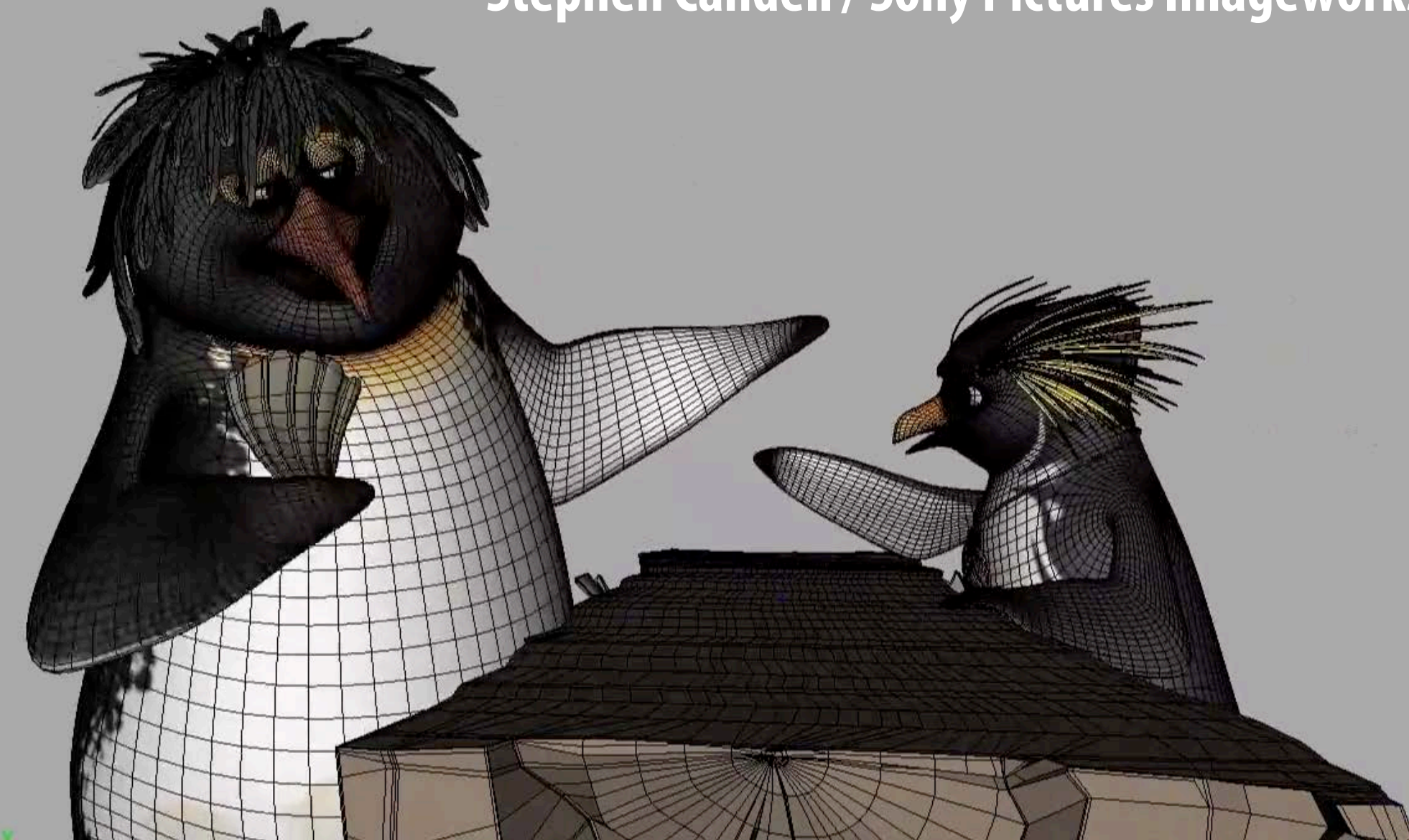
# Assignment 4: Animation



(cribbed from Alec Jacobson)

# Motivation: make animations like these!

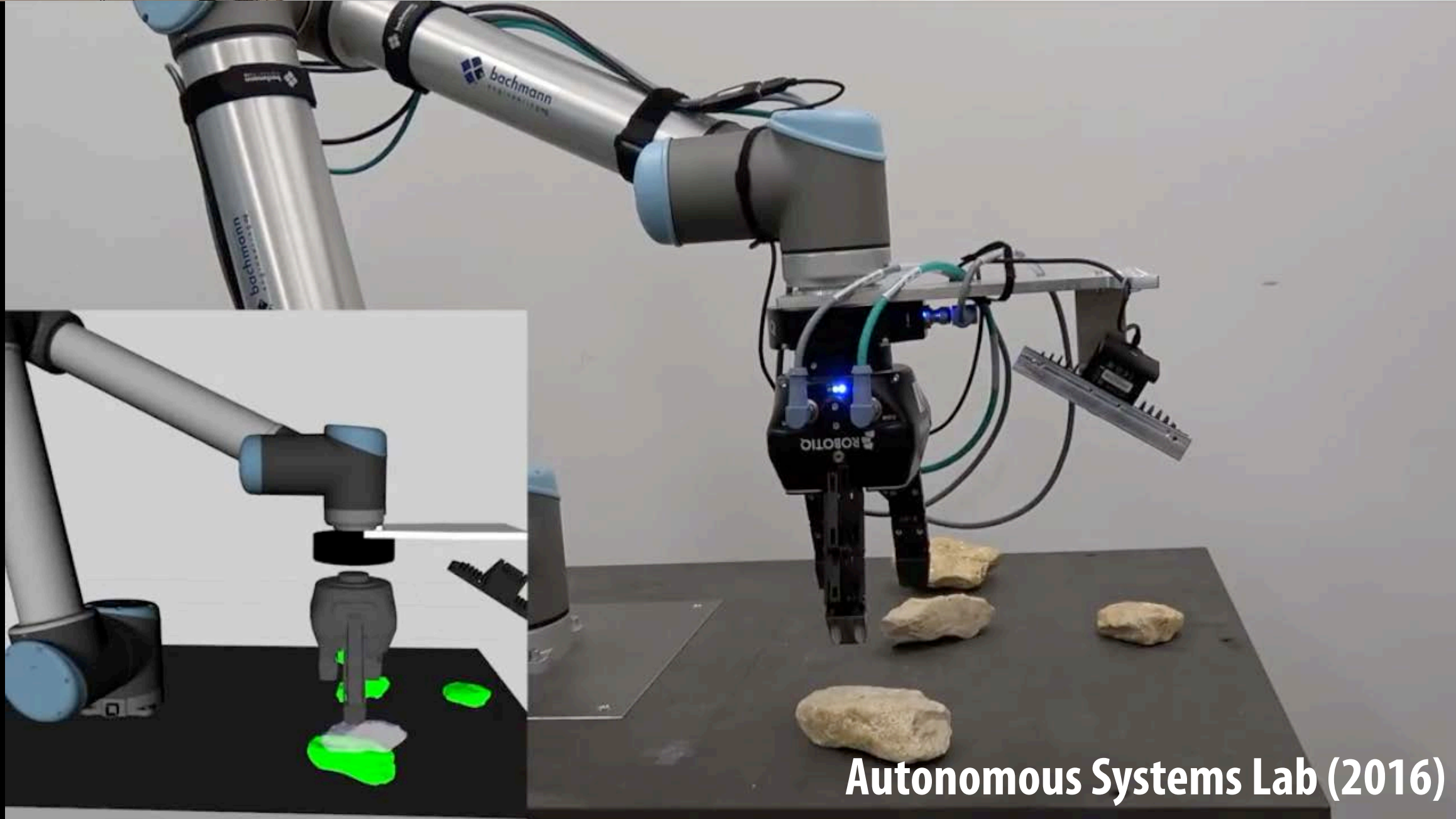
Stephen Candell / Sony Pictures Imageworks (2017)



Yans Media (2015)



Pixar (2016)



Autonomous Systems Lab (2016)

# See you next time!

- Before diving in, we'll do a math review & preview
  - Linear algebra, vector calculus
  - Help make the rest of the course easier!

